## Introduction to Genetics

FALL 2023
EXAM IV

## Questions 1-2 refer to the following experiment:

In beetles, red eye color is determined by a single dominant allele ( R ). A large population is created by mixing $50 \%(\mathrm{RR})$ red-eyed beetles with $50 \%$ (rr) white-eyed beetles. If all the conditions of Hardy-Weinberg equilibrium are met,

1. What fraction of beetles will have red eyes in the next generation?
A) $25 \%$
B) $50 \%$
C) $62.5 \%$
(D) $75 \%$
E) 100
2. What fraction of beetles will have red eyes when the population reaches Hardy-Weinberg equilibrium?
A) $25 \%$
B) $50 \%$
C) $62.5 \%$
(D) $75 \%$
E) 100

## Questions 3-4 refer to the following population:

A human virus has a mutation rate of $5^{*} 10^{-3}$. Gene D , encodes a capsid protein that is recognized by the immune system and important for clearing viral infections. Assume that $90 \%$ of the population of viral genomes have a wild type copy of D at the time of infection.
3. Assuming there is no selection, what fraction of the viral population would have the wild type copy of the D gene after it replicates once (ie one generation)?
A) 0.0045
B) 0.0050
C) 0.8955
D) 0.8995
E) 0.9995
4. Assuming there is no selection, what fraction of the viral population would have the wild type copy of the D gene after 1,000 rounds of replication (ie 1,000 generations)?
A) 0.0045
B) 0.0060
C) 0.0067
D) 0.0452
E) 0.4520

## Questions 5-11 refer to the following population:

A population of frogs in a large pond is in Hardy-Weinberg equilibrium for an autosomal locus that determines the presence or absence of a forked tongue. The frequency of forked tongues $(f f)$ in the population is 5 in 1,000 .
5. What is the frequency of the $f$ allele in the population?
A) $2.5 * 10^{-5}$
B) 0.00498
C) 0.00500
() 0.07070
E) 0.00995
6. What is the frequency of carriers of the forked tongue allele in the population?
A) 0.0050
B) 0.0010
C) 0.0657
D) 0.07070
(E) 0.1314
7. A frog with an unforked tongue, has parents with unforked tongues. However, some of his siblings have forked tongues. What is the probability that this frog is a carrier of the $f$ allele?
A) 0.0657
B) 0.0876
C) 0.1314
(D) 0.66697
E) 0.75000
8. The frog from question 7 mates with another frog from this population. They lay 500 eggs. What is the approximate probability that some of the tadpoles will have forked tongues when they hatch?
A) 0.04
B) 0.09
C) 0.13
D) 0.67
E) 0.75
9. What would the expected frequency of forked tongued frogs be among the offspring of any siblings that mated within this frog population? The inbreeding coefficient among siblings is 1/4.
A) 0.0013
B) 0.0215
C) 0.0376
D) 0.0441
E) 0.0568
10. Suppose that a flood brings in a new population of frogs from a nearby pond where the frequency of forked tongues $(f f)$ is 5 in 100 . If after the flood, 50 percent of the frogs in the population are from the nearby pond, what will be the new frequency of the $f$ allele?
A) 0.0275
B) 0.0866
C) $0.14{ }^{2}$
D) 0.2236
E) 0.2943
11. If after the flood, all the parameters for maintaining Hardy-Weinberg equilibrium are met, what will the new frequency of forked tongued frogs be in the population when it reaches Hardy-Weinberg equilibrium?
A) 0.0217
B) 0.0866
C) 0.1118
D) 0.2236
E) 0.2943

## Questions 12-15 refer to the following experiment:

You identify a population of rabbits from a dark forest whose coat color is controlled by a single gene: $B B$ rabbits are black, $B b$ rabbits are gray, and $b b$ rabbit are white. You take a census of the population and record the following numbers of rabbits:

| Black | 490 |
| :--- | ---: |
| Gray | 420 |
| White | 90 |

12. What are the allele frequencies of $B$ and $b$ ?

| A) $\mathrm{f}(B)$ | $=0.490, \mathrm{f}(b)=0.090$ |
| ---: | :--- |
| B) $\mathrm{f}(\mathrm{g})$ | $=0.700, \mathrm{f}(b)=0.300$ |
| C) $\mathrm{f}(B)$ | $=0.465, \mathrm{f}(b)=0.255$ |
| D) $\mathrm{f}(B)=0.910, \mathrm{f}(b)=0.510$ |  |
| E) $\mathrm{f}(B)=0.900, \mathrm{f}(b)=0.100$ |  |

13. A rare snow hits the region making it advantageous to have white fur. Before the spring mating season arrives, 245 black rabbits and 105 gray rabbits have been eaten by wolves. All the other rabbits survive. What is the average fitness of the rabbit population in the spring?
A) 0.245
B) 0.403
C) 0.620

E) 0.750
14. What will be the frequency of the $B$ allele among rabbits born in the spring?
A) 0.245
B) 0.403
C) 0.620
D) 0.650
E) 0.750
15. If it doesn't snow anymore and all rabbits are again equally fit, what will the new HardyWeinberg frequencies be for the offspring of the spring generation of rabbits?
A) Black 245, Gray 315, White 90
B) Black 377, Gray 485, White 138
C) Back 384, Gray 471, White 145
D) Black 245, Gray 315, White 440
E) Black 490, Gray 420, White 90
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16. With random genetic drift, the probability of ultimate fixation of a particular allele is
A) dependent on the degree of dominance of the allele.
B) lower than the frequency of the allele in the original population.
C) higher than the frequency of the allele in the original population.
D) equal to the frequency of the allele in the original population.
E) inversely proportionate to the frequency of the allele in the original population
17. Inbreeding results in
A) increased frequency of heterozygotes.
B) increased frequency of homozygotes.
C) increased frequency of rare recessive alleles.
D) increased frequency of dominant alleles.
E) increased frequency of mutations

## Questions 18-21 refer to the following experiment:

Pumpkin weight is controlled by additive alleles at three loci (genes). A pumpkin plant with a genotype $a / a ; b / b ; c / c$ makes pumpkins that average 3 lbs . A pumpkin plant with a genotype $\mathrm{A} / \mathrm{A} ; \mathrm{B} / \mathrm{B} ; \mathrm{C} / \mathrm{C}$ makes pumpkins that average 12 lbs .
18. How many different classes of pumpkin weights are possible?
A) 3
B) 5
C) 6
D) 7
E) 9
19. How much does each dominant additive allele add to the weight of the pumpkin?
A) 1.0 lb
B) 1.5 lb s
C) 2.0 lbs
D) 2.5 lbs
E) 3.0 lbs
20. Two parents of genotype aaBBcc and $\mathbf{A A B B C C}$ are crossed. The resulting F1 progeny are then selfed to generate the F2. What is the average weight of the F2 pumpkins?
A) 1.0 lb
B) 6.0 lbs
C) 7.5 lbs
D) 8.0 lbs
E) 9.01 ps
21. Two parents of genotype aaBBec and $\mathbf{A A B B C C}$ are crossed. The resulting F1 progeny are then selfed to generate the F2. What fraction of the F2 pumpkins are expected to be 12lbs?
A) $1 / 4$
B) $3 / 8$
C) $3 / 16$
D) $1 / 16$
E) $1 / 32$
22. A genetically heterogeneous population of rice has a mean number of 30 days to maturation. Selection for decreased period of maturation is carried out for one generation. The average period to maturation among the plants selected as parents for the next generation is 25 days. $\mathrm{F}_{1}$ plants mature on average in 27 days. Estimate the narrow sense heritability.
A) 0.100
B) 0.833
(C) 0.600
D) 0.400
E) 0.900
23. The broad sense and narrow sense heritabilities for several traits in domesticated cattle are:

| Trait | $\underline{\mathrm{H}^{2}}$ |  | $\underline{\mathrm{~h}}^{2}$ |
| :--- | :--- | :--- | :--- |
| percent protein in milk | 0.56 |  | 0.44 |
| feed efficiency | 0.30 |  | 0.16 |
| milk yield | 0.80 |  | 0.24 |
| calving interval | 0.04 |  | 0.01 |

Which of these traits would be most responsive to artificial selection?
A) percent protein in milk
B) feed efficiency
C) milk yield
D) calving interval
E) you need to know the environmental variance before this can be determined.

## Questions 24-28 refer to the following experiment:

Two inbred varieties of long beans, with averages measuring 10.5 cm and 21.5 cm , are bred and the progeny are then self-fertilized. The distribution of long bean length among the F1 and F2 populations is shown below. The length of the average bean, and the length of beans one standard deviation above and below the average is plotted on the graph.


24. What is the genetic variance $\left(\mathrm{cm}^{2}\right)$ in the F1 population?
A) 0
B) 1
C) 2
D) 4
E) 5

25 What is the genetic variance $\left(\mathrm{cm}^{2}\right)$ in the F2 population?
A) 0
B) 1
C) 1.5
D) 5
E) 9
26. Calculate the broad-sense heritability.
A) 0.33
B) 0.44
C) 0.56
D) 0.67
E) 0.75
27. If the narrow sense heritability is equal to the broad sense heritability, approximately how many genes contribute to long bean length?
A) 2
B) 3
C) 4
D) 5
E) 6
28. Assuming a normal distribution, what proportion of the progeny in the $\underline{\mathbf{F} 2}$ would be expected to be longer than 19 cm .
A) $2.5 \%$
B) $5 \%$
C) $16 \%$
D) $32 \%$
E) $34 \%$
29. The DNA content of an organism contains $80 \%$ GC basepairs. On average, how frequently would you expect to find the sequence $5^{\prime}$ TCGA $3^{\prime}$ ?
A) once every 16 bases
B) once every 39 bases
once every 256 bases
D) once every 625 bases
E) once every 4096 bases
30. The cell shown on the right is from a diploid organism, $2 n=4$. If there is only one gene on each chromosome, and the organism is hybrid at all loci, how many genotypically distinct gametes can this organism produce?
A) 1
B) 2
(C) 4
D) 8
E) 16

31. Which pair of pentamer primers could be used to amplify the DNA sequence shown below?
$3^{\prime}$-TTTTTGATTACATCGGCATTACCGATTTAAAGCCCTCCCCC-5 '
$5^{\prime}$-AAAAACTAATGTAGCCGTAATGGCTAAATTTCGGGAGGGGG-3 '
A) forward primer $5^{\prime}$-AAAAA-3' and reverse primer $5^{\prime}$-GGGGG-3'
B) forward primer 5'-TTTTT-3' and reverse primer 5'-CCCCC-3'
C) Horward primer $5^{\prime}$-AAAAA- $3^{\prime}$ and reverse primer $5^{\prime}$-CCCCC- $3^{\prime}$
D) forward primer 5'-TTTTT-3' and reverse primer 5'-GGGGG-3'
E) forward primer 5'-AAAAA-3' and reverse primer 5'-TTTTT-3'

H U G E are four dominant genes controlling tomato size that are located on different chromosomes. A cross is carried out between Plant 1 with genotype-Hh UU gg ee and Plant 2 of genotype-Hh Uu GG Ee.
32. What percentage of the progeny are expected to be phenotypically identical to Plant 2 ?
A) 0
B) $3 / 8$
C) $1 / 16$
D) $9 / 32$
E) $9 / 128$

Questions 33-34 refer to the following cross.
A plant of genotype $A A b b$ is crossed to a plant of genotype $a a B B$. The $\mathrm{F}_{1}$ progeny is then testcrossed with a $a a b b$ plant.
33. If the genes are unlinked, the percentage of plants with genotype $A a b b$ in the $\mathrm{F}_{2}$ progeny will be
A) $12.5 \%$
(3) $25 \%$
C) $37.5 \%$
D) $50 \%$
E) $75 \%$
34. If the genes are 20 map units apart, the percentage of plants in the $F_{2}$ progeny with genotype $A a b b$ progeny will be
A) $10 \%$
B) $20 \%$
C) $40 \%$
D) $60 \%$
E) $80 \%$

Questions 35-37 refer to the following cross.
Hobbits are legendary creatures from Middle Earth whose dominant traits are Large (L), Hairy $(H)$, Tough (T) feet. Data from a testcross with a trihybrid individual of these three linked genes are shown below.

| Foot Phenotpye | genotype \# |  |
| :--- | :--- | :--- | :--- |
| Normal | LlHhTt | 340 |
| Small Hairless Soft | llhhtt | 330 |
| Small | llHhTt | 120 |
| Hairless Soft | Llhhtt | 110 |
| Small Hairless | llhhTt | 40 |
| Soft | LlHhtt | 40 |
| Hairless | LlhhTt | 10 |
| Small Soft | llHhtt | 10 |
|  | Total | $\mathbf{1 0 0 0}$ |

35. Which of the following represents a recombinant with respect to H and T
A) Ll HhTt
B) LlHMtt
C) $11 \mathrm{hh} t \mathrm{t}$
D) Ll hit
E) $11 \mathrm{Hh} T \mathrm{t}$
36. What is the recombination frequency with respect to H and T ?
A) $10 \%$
B) $16 \%$
C) $25 \%$
D) $31 \%$
E) $33 \%$
37. The order of these three genes is?
A) TLH
B) BTL

D) A or B could be correct
E) B or C could be correct

Questions 38-39 refer to the following cross.
A common recessive gene is associated with heart defects in dogs (d). The d locus is $75 \%$ linked to the SSR marker used in the analysis below. Two carriers of known genotypes had a litter of puppies and the puppies were tested for the linked marker as shown below.

38. If puppy \#4 has not yet been tested for the heart defect, what is the probability that the mother passed on the disease allele to puppy \#4?
A) $6.25 \%$
B) $12.5 \%$
C) $25 \%$
D) $50 \%$
E) $75 \%$
39. If puppy $\# 4$ has not yet been tested for the heart defect, what is the probability that puppy \#4 will have the disease?
A) $6.25 \%$
(B) $12.5 \%$
C) $25 \%$
D) $50 \%$
E) $75 \%$
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40. A diploid strain of watermelon $2 n=44$ is crossed with a tetraploid strain of watermelon. The progeny are viable, grow well, and produce tasty fruit. Which of the following is true?
A) Half the progeny are diploid, half are tetraploid.
B) AHthe progeny are triploid, and must be crossed with other triploid plants to reproduce
C) All the progeny are triploid, but sterile.
D) Half the progeny are diploid but their fertility would be reduced by $\sim 50 \%$.
E) Half the progeny are triploid but their fertility would be reduced by $\sim 50 \%$.

## Potentially Useful formulas

the probability that, in n trials, A is realized s times and B is realized t times is equal to ( $\mathrm{n}!) /(\mathrm{s}!\mathrm{t}!) \times\left(p^{\mathrm{s}} q^{\mathrm{t}}\right)$
$\%$ Recombinants $=(\#$ recombinants $) /(\#$ total progeny $) \times 100 \%$
map distance $=(\#$ recombinants $) /(\#$ total progeny $) \times 100$
map distance $=1 / 2 \times(\#$ tetratype tetrads $) /(\#$ total tetrads $) \times 100$
map distance $=1 / 2 \times$ (\# ascii with 2nd division segregation) $/(\#$ total ascii) $\times 100$
Coeff. of coinc. $=$ Observed double recomb. $/$ Expected double recomb.
Interference $=1-$ Coefficient of coincidence
$\mathrm{Chi}^{2}=\sum(\text { observed }- \text { expected })^{2} /$ expected
if $\mathrm{p}=$ frequency of a dominant allele $A$ and $\mathrm{q}=$ frequency of a recessive allele $a$, then $\mathrm{p}+\mathrm{q}=1$ and if the population is at Hardy-Weinberg equilibrium, $p^{2}: 2 p q: q^{2}$
For a gene with a mutation rate $\mu$ over $n$ generations $p_{(n)}=(1-\mu)^{n} p_{(0)}$
Average fitness of a population under selection, $\overline{\mathrm{W}}=\mathrm{W}_{(\mathrm{AA})} \mathrm{p}^{2}+\mathrm{W}_{(\mathrm{Aa})} 2 \mathrm{pq}+\mathrm{W}_{(\mathrm{aa})} \mathrm{q}^{2}$
For an (i)sland population, where m fraction of the population has migrated in from the (m)ainland, $\quad p_{(i)}{ }^{\prime}=(1-m) p_{(i)}+m p_{(m)}$
Chance a new mutation becomes fixed $1 / 2 n$ or lost $(2 n-1) / 2 n$ from a pop. of size $n$
Where $\mathrm{F}=$ the proportionate reduction in heterozygousity due to inbreeding
$f(\mathrm{AA})=\mathrm{p}^{2}(1-\mathrm{F})+\mathrm{pF}$
$f(\mathrm{Aa})=2 \mathrm{pq}(1-\mathrm{F})$
$f(\mathrm{aa})=\mathrm{q}^{2}(1-\mathrm{F})+\mathrm{qF}$
Mean $=\bar{x}=\sum x_{i} / N$
Variance $=s^{2}=\sum\left(x_{i}-\bar{x}\right)^{2} / N-1$
Standard deviation $=s=\sqrt{ } s^{2}$
Covariance $=\operatorname{Cov}(x, y)=\sum f_{i}\left(x_{i}-\bar{x}\right)\left(y_{i}-\bar{y}\right) / N-1$
For a normal distribution,
$\sim 68 \%$ of the population falls within 1 standard deviation $(s)$ of the mean
$\sim 95 \%$ of the population falls within 2 standard deviation $(s)$ of the mean
$\sim 99.7 \%$ of the population falls within 3 standard deviation $(s)$ of the mean
$s_{p}{ }^{2}=s_{g}{ }^{2}+s_{e}{ }^{2}$
where $\mathrm{p}=$ phenotype $\mathrm{g}=$ genotype $\mathrm{e}=$ environment
For additive alleles where $\mathrm{n}=$ \# of additive loci,
$1 / 4^{\mathrm{n}}=$ fraction in the population with the most extreme phenotype
$2 \mathrm{n}+1=$ the number of different phenotypes

## Formulas cont...

$n=D^{2} / 8 s_{g}{ }^{2}$
where $\mathrm{n}=$ number of genes, $\mathrm{D}=$ phenotypic difference between parental strains
$s_{p}{ }^{2}=s_{g}{ }^{2}+s_{e}{ }^{2}$
$H^{2}=s_{g}{ }^{2} / s_{p}{ }^{2}$
where $H^{2}=$ broad-sense heritability $\mathrm{p}=$ phenotype $\mathrm{g}=$ genotype $\mathrm{e}=$ environment
$s_{p}{ }^{2}=s_{a}{ }^{2}+s_{d}{ }^{2}+s_{e}{ }^{2}$
$h^{2}=s_{a}{ }^{2} / s_{p}{ }^{2}=\left(\mathrm{M}_{\mathrm{N}}-\mathrm{Mo}_{\mathrm{o}}\right) /\left(\mathrm{M}_{\mathrm{E}}-\mathrm{Mo}_{\mathrm{o}}\right)$
where $h^{2}=$ narrow-sense heritability, $\mathrm{d}=$ dominant alleles, $\mathrm{a}=$ additive alleles, $\mathrm{e}=$ environment,
$\mathrm{M}_{\mathrm{O}}=$ original mean, $\mathrm{M}_{\mathrm{N}}=$ new mean, $\mathrm{M}_{\mathrm{E}}=$ mean of the bred population


