



How can one determine the x, y, and z of a location? Approaches to DTM Extraction

- Ground surveying
- Digitized topographic maps
- Traditional photogrammetry
 - Hardcopy vs. softcopy approach
- Radar
- LIDAR



Photogrammetry

- The science of making reliable measurements by the use of photographs and especially aerial photographs.
- Challenges:
 - Geometric distortions (transformation)
 - Relief displacement (ortho-rectification)
 - Obscured targets (true-orthorectification)



Distortion

- Distortion: shift in the position of an image on a photograph that alters the perspective characteristics of the image.
- Displacement: shift in the position of an image on a photograph that does not alter the perspective characteristics of the photo



Types of Distortion

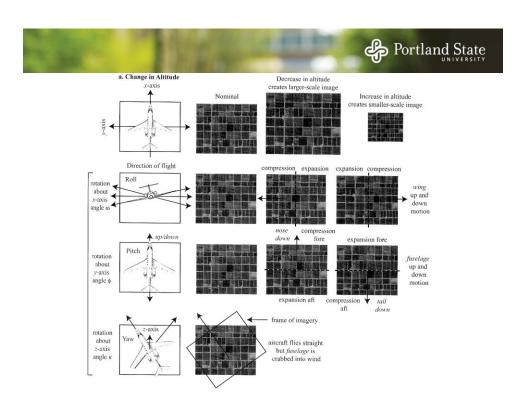
- · Film and print Shrinkage
- Atmospheric Reaction of light rays (refraction)
- · Image motion
- · Lens Distortion

The effects of film shrinkage, atmospheric refraction are usually negligible in most cases.



Geometric Distortions

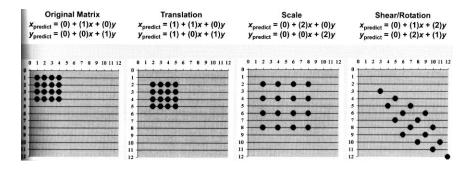
- External errors
 - Altitude changes
 - Attitude changes (roll, pitch, and yaw)
- Internal errors
 - e.g., lens distortion, earth rotation





Methods of Correcting Geometric Distortion

- Affine Transformation (aka linear or first-order transformation)
- Higher order polynomial transformation





Orthophoto & Ortho-rectification

Orthophotos - orthographic photographs

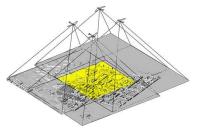
 Photographs that do not have distortions nor displacements.

True orthophotos:

http://www.sharpgis.net/page/True-Orthophoto-Generation.aspx







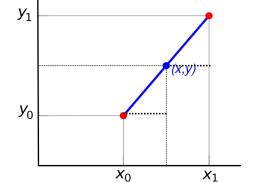


How to tell if triangles are similar

- AAA are congruent (i.e., coincident)
- SSS in same proportion
- SAS (proportional sides next to congruent angle)



Known: x_0 , y_0 , x_1 , y_1 , and xFind: y



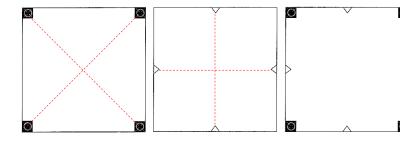
$$\frac{y - y_0}{y_1 - y_0} = \frac{x - x_0}{x_1 - x_0}$$

$$\frac{y - y_0}{y_1 - y_0} = \frac{x - x_0}{x_1 - x_0} \qquad y = y_0 + (x - x_0) \frac{y_1 - y_0}{x_1 - x_0}$$



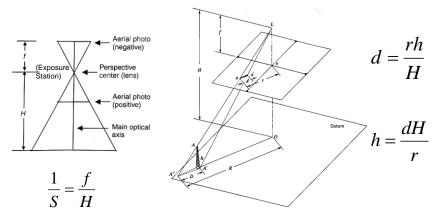
Basic Aerial Photography Geometry

- •Fiducial marks
- Principal point





Geometric Components of Relief Displacement



1/S: photo scale f: focal length of camera

H: flying height

d = relief displacement

h = object height

r = radial distance between location and PP on photo

H = flying height



Relief Displacement





RD changes the measured distances and angles on photos.



Correcting for Relief Displacement: Orthorectification

$$d = \frac{rh}{H}$$

d = relief displacement
h = object height
r = radial distance between location and PP on photo
H = flying height



Image Parallax

 the apparent displacement or the difference in apparent direction of an object as seen from two different points not on a straight line with the object.

$$p_a = x_a - x'_a$$

 p_a = parallax of point A x_a = x coor of a on left photo x'_a = x coor of a' on right photo

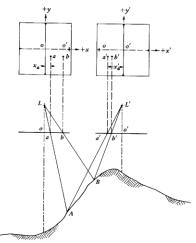


Figure 3.15 Parallax displacements on overlapping vertical photographs.



Figure 189: Exposure Stations Along a Flight Path

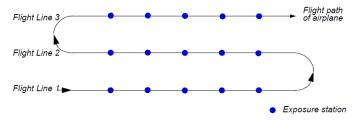


Figure 190: A Regular Rectangular Block of Aerial Photos

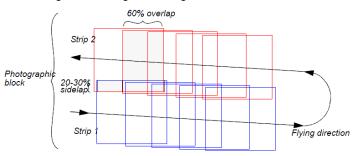
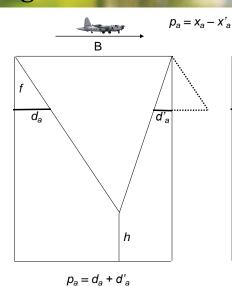
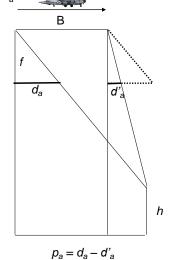


Image Parallax









Calculating Object Height & Location from Parallax

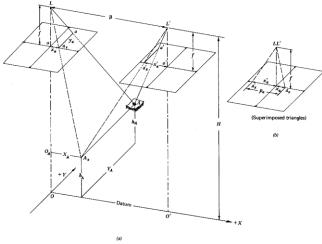


Figure 3.17 Parallax relationships on overlapping vertical photographs: (a) adjacent photographs forming a stereopair; (b) superimposition of right photograph onto left.

Parallax Equations:

$$h_A = H - \frac{B \times f}{p_a}$$

$$X_A = B \frac{x_a}{p_a}$$

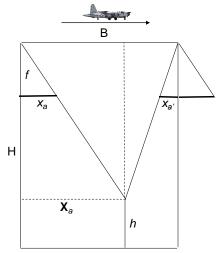
$$X_A = B \frac{x_a}{p_a}$$
$$Y_A = B \frac{y_a}{p_a}$$

 p_a = parallax of A x_a = x coor of A on left photo X_A = ground coor of A

 $h_A = height of A$ B = air base

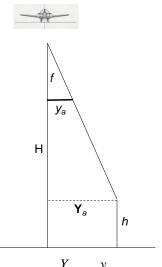
H = flying height

Portland State



$$\frac{f}{x_a + x_{a'}} = \frac{H - h}{B} \qquad \frac{X_a}{H - h} = \frac{x_a}{f}$$

$$\frac{X_a}{H-h} = \frac{x_a}{f}$$



$$\frac{Y_a}{H-h} = \frac{y_a}{f}$$



Measuring Parallax

Based on a stereopair of photos

- Floating half marks
- Parallax wedge



Digital Photogrammetry: Softcopy Photogrammetric Systems

- Scanned stereopair photos
- Interior and exterior orientations
 - Camera & photo parameters
 - Flight parameters
 - GCPs
- Image matching
 - Tie points
 - Algorithms
- Generate DEM and orthophotos



Collinearity Condition & Equations

- Alignment of exposure station (O), object location on the photo (p), and object location on the ground (P).
- If collinearity condition is achieved on both photos in a stereopair then the ground X, Y, Z can be computed from x and y within the image coordinate system on both photos.
- · Six exterior orientation parameters
- Collinearity equations can be derived using GCPs.
- Inertial Measurement Unit (IMU)

