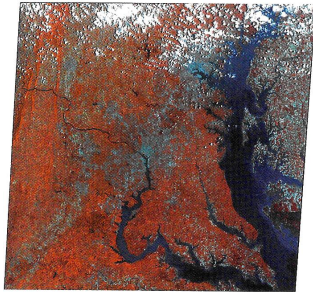
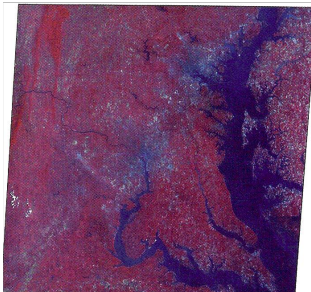


Radiometric Normalization – Automatic Scattergram-Controlled Regression



25 June 1990 MSS



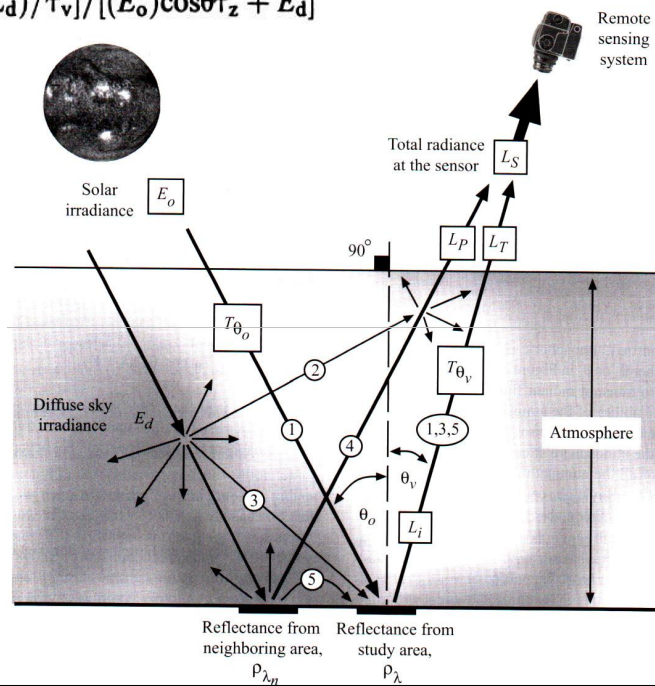
8 July 1973 MSS



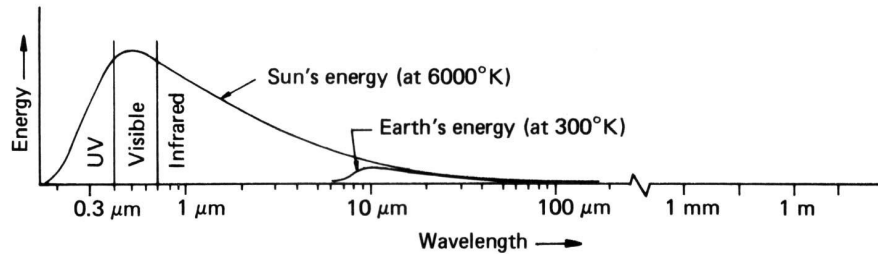
ASCR Normalized 1973 Image

Elvidge, C.D. et al. 1995. Relative radiometric normalization of Landsat MSS data using an automatic scattergram-controlled regression. *PE&RS* 61(10):1255-1260.

$$\rho = [\pi (L_{\text{sat}} - L_d) / \tau_v] / [(E_o) \cos \theta_z + E_d]$$



Sources of EMR



(a) Energy sources

Scattergrams

Sources of disagreement?

- Clouds
- Radiometric variations
- Land-cover change

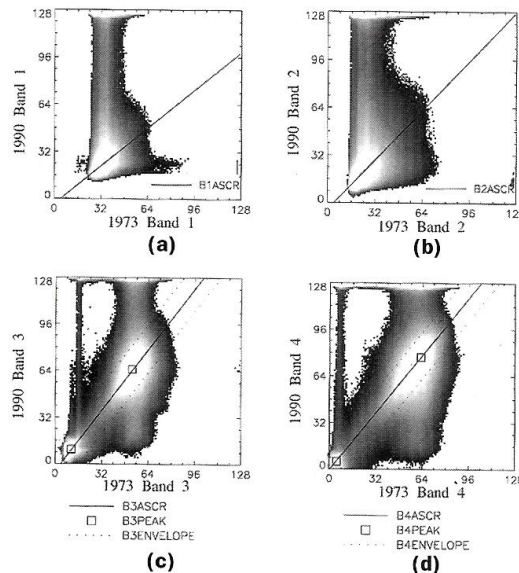
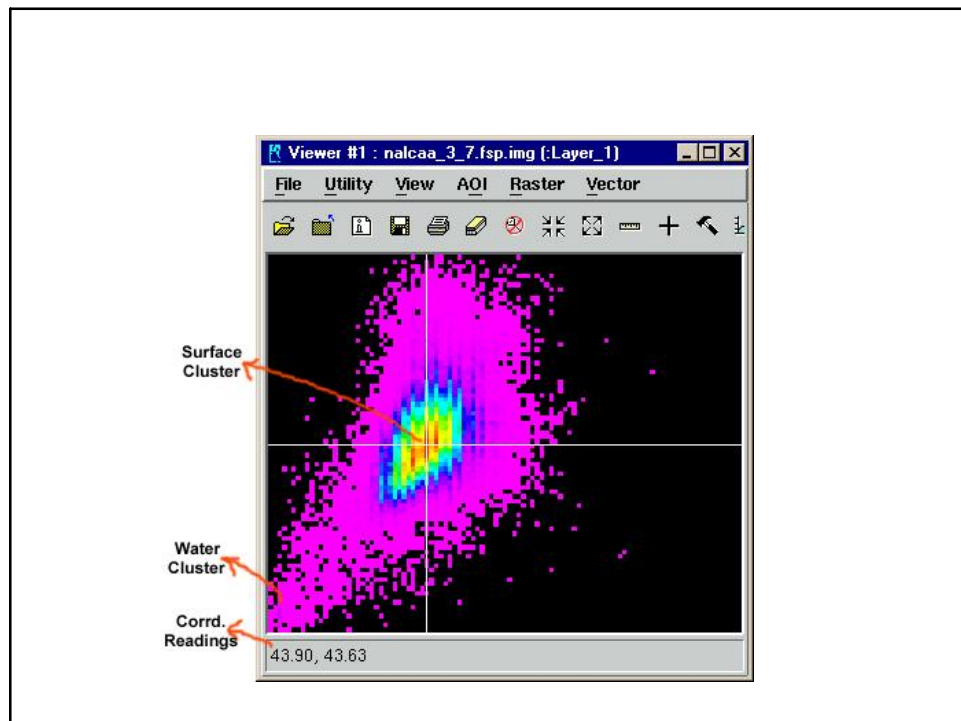


Figure 1. Band-by-band full scene scattergrams for the 1990 versus 1973 Landsat MSS data. (a) Scattergram of the 1990 Band 1 versus 1973 Band 1. (b) Scattergram of the 1990 Band 2 versus 1973 Band 2. (c) Scattergram of 1990 Band 3 versus 1973 Band 3. (d) Scattergram of 1990 Band 4 versus 1973 Band 4.



ASCR

1. Compute scattergrams of NIR bands
2. Identity water and land centers on both scattergrams, formulate no-change area definitions, and select pixels within no-change areas
3. Compute regression models for all bands using only pixels within no-change areas
 - $Y = aX + b$
 - Y: reference image
 - X: image to be normalized
4. Normalize image using the regression models
 - $X' = aX + b$
 - X': normalized image

No-Change Areas

Known:

- x and y coord of land and water centers
- Half perpendicular width (HPW) ~ 10 DN

Find the area between the parallel dashed lines:

- Solid line $y = ax + b$
Slope $a = (y_2 - y_1) / (x_2 - x_1)$
Intercept $b = y_1 - ax_1$
- Half vertical width (HVV)
 $HVV = \text{SQRT}(1 + a^2) * HPW$
- Areas between dashed lines
 $|y - ax - b| \leq HVV$

