

## Today's Info

- No HW this week
- Bring tables to exam
- Exam is standard length

# Key Ideas

- Acids and bases
  - identification-including conjugates
  - proton transfer and hydrolysis
  - complete treatments
  - polyprotic-determining [ ]s of the conjugate bases
  - $K_{\text{rxn}}$ 
    - leveling effect
    - running downhill
  - Titrations and titration curves
  - Buffers
  - LeChatelier Effects
- Solubility
  - basic relations between  $K_{\text{sp}}$ ,  $s$ , etc
  - use of  $K_{\text{sp}}$
  - precipitation-yes/no and how much
  - separating ions-qualitative and quantitative
  - LeChatelier effects

# Summarizing Entropy

- Entropy is time's arrow-the entropy of the universe is increasing
- $\Delta S > 0$  favorable  $\Delta S < 0$  unfavorable  $\Delta S = q_{\text{rev}}/T$   $\Delta S = \Delta H/T$ . We will be limiting our calculations in this area to entropies of phase changes.  $S(\Delta S)$  has units J/K-mol or J/K. These are often called entropy units
- Spontaneity requires a total entropy change, system and universe, which is positive. Thus, for changes with  $\Delta S < 0$ ,  $\Delta H$  must be  $< 0$ . This loss of heat to the surroundings increases its entropy.
- Predicting the sign of the entropy is usually possible, given sufficient detail about the starting and ending states. Predicting magnitudes is far more difficult
- The combination of entropy and enthalpy is the free energy,  $\Delta G$ .  $\Delta G = \Delta H - T\Delta S$ . Spontaneity requires  $\Delta G < 0$ . Equilibrium:  $\Delta G = 0$
- Four possible sets:  $\Delta G^\circ = \Delta H^\circ - T\Delta S^\circ$ . (see Table 17.2-p 737)
  - $\Delta H^\circ > 0$   $\Delta S^\circ > 0$  spontaneous above a minimum T
  - $\Delta H^\circ > 0$   $\Delta S^\circ < 0$  never spontaneous
  - $\Delta H^\circ < 0$   $\Delta S^\circ > 0$  always spontaneous
  - $\Delta H^\circ < 0$   $\Delta S^\circ < 0$  spontaneous below a maximum T
- Be aware that spontaneous and nonspontaneous is measured against the  $Q=1$  condition. When the conditions are other than that, the direction of spontaneity can be different. Further,  $\Delta G$  represents the thermodynamic stability. The overall nature of a change of state requires consideration of its kinetics, as well.
- $\Delta G_{\text{rxn}} = \sum n^* \Delta G_{\text{prods}} - \sum n^* \Delta G_{\text{reacts}}$  you need to be able to use this equation
- $\Delta G^\circ = -RT \ln K$   $K = e^{-\Delta G^\circ/RT}$  Note that negative values of  $\Delta G^\circ$  lead to  $K > 1$ . You need to be able to use these two equations-the homework provides exercises .

# Probability Redux

- Entropy is all about probability
- One always uses simple examples like coin flips or binary events. The number of possible arrangements for a binary event system is simple  $2^n$  where  $n$  is the count of “coins”.
- The Boltzmann relationship states  $S=k\ln W$
- $k=R/N_A=1.38*10^{-23} \text{ J/K}$
- If you have a mole of molecules totally randomly arranged then  $S=R\ln 2=8.314\text{J/K}*0.693=5.76\text{J/K}$
- Variations on a theme.
  - It seems logical that the more room is given to a gas, the greater the number of states and the higher the entropy.  $\Delta S=R\ln(V_f/V_i)$
  - If the pressure goes up its equivalent to a volume decrease (why)  $\Delta S=R\ln(P_i/P_f)$
- Third Law: The entropy of a perfect crystal at absolute zero=0

# $\Delta S$ and phase changes

- $\Delta S = q_{\text{rev}}/T$
- The simplest example of a reversible process taking place at constant temperature is the phase change
- $\Delta S_{\text{fus}} = q_{\text{fus}}/T_{\text{melt}}$  and so on

# Free Energy and K

- $\Delta G^\circ = -RT \ln K$        $K = e^{-\Delta G^\circ / RT}$  this is the thermodynamic  
R=8.314 J/mol·K
- Table 17.4-p.747 summarizes the relationship between K and  $\Delta G^\circ$
- When the system is not at equilibrium, the free energy is given by the relationship  $\Delta G = \Delta G^\circ + RT \ln Q$