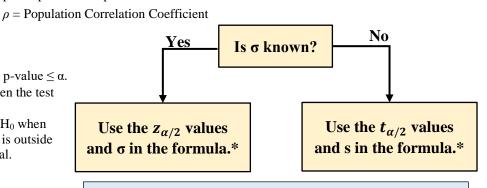
Common Symbols

- n = Sample Size
- \bar{x} = Sample Mean
- s = Sample Standard Deviation
- $s^2 =$ Sample Variance
- $\hat{\mathbf{p}} = \mathbf{Sample Proportion}$
- r = Sample Correlation Coefficient
- $\alpha = P(Type \ I \ error)$

The rejection rule:

- $\bullet \quad \ \ p\mbox{-value method: reject H_0 when the p-value $\leq α.}$
- Critical value method: reject H₀ when the test statistic is in the critical tail(s).
- Confidence Interval method, reject H₀ when the hypothesized value found in H₀ is outside the bounds of the confidence interval.



*If n < 30, the variable must be normally distributed.

Look for these key words to help set up your Hypotheses:

N = Population Size

 μ = Population Mean

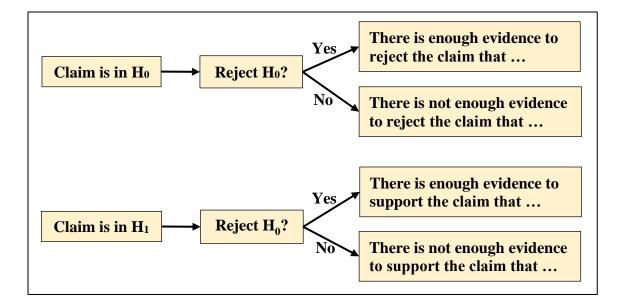
 σ^2 = Population Variance

p = Population Proportion

 σ = Population Standard Deviation

Look for these key words to help set up your Hypotheses:								
Two-tailed Test	Right-tailed Test	Left-tailed Test						
$H_0: \mu = \mu_0$	$\mathrm{H}_{0}: \mu = \mu_{0}$	$\mathrm{H}_0: \mu = \mu_0$						
$H_1: \mu \neq \mu_0$	$H_1: \mu > \mu_0$	$\mathrm{H}_1: \mu < \mu_0$						
Claim is in the Null Hypothesis								
=	<u> </u>	2						
Is equal to	Is less than or equal to	Is greater than or equal to						
Is exactly the same as	Is at most	Is at least						
Has not changed from	Is not more than	Is not less than						
Is the same as	Within	Is more than or equal to						
Clai	Claim is in the Alternative Hypothesis							
<i>≠</i>	>	<						
Is not	More than	Less than						
Is not equal to	Greater than	Below						
Is different from	Above	Lower than						
Has changed from	Higher than	Shorter than						
Is not the same as	Longer than	Smaller than						
	Bigger than	Decreased						
	Increased	Reduced						





One Sample Tests:

Mean

t-test $H_0: \mu = \mu_0 H_1: \mu \neq \mu_0$ Test statistic when σ is unknown: $t = \frac{\bar{x} - \mu_0}{\left(\frac{\bar{s}}{\sqrt{n}}\right)}$ with df = n - 1

TI-83 or 84

If you have raw data, enter the data into a list before you go to the test menu. Press the [STAT] key, arrow over to the [TESTS] menu, arrow down to the [2:T-Test] option and press the [ENTER] key. Arrow over to the [Stats] menu and press the [ENTER] key. Then type in the hypothesized mean (μ_0), sample or population standard deviation, sample mean, sample size, arrow over to the \neq , <, > sign that is the same as the problems alternative hypothesis statement then press the [ENTER] key, arrow down to [Calculate] and press the [ENTER] key. The calculator returns the t-test statistic and p-value.

Or (If you have raw data in list one) Arrow over to the [Data] menu and press the [ENTER] key. Then type in the hypothesized mean (μ_0) , L_1 , leave Freq:1 alone, arrow over to the \neq , <, > sign that is the same in the problems alternative hypothesis statement then press the [ENTER]key, arrow down to [Calculate] and press the [ENTER] key. The calculator returns the t-test statistic and the p-value.

TI-89

Go to the [Apps] **Stat/List Editor**, then select 2^{nd} then F6 [Tests], then select **2: T-Test**. Choose the input method, data is when you have entered data into a list previously or stats when you are given the mean and standard deviation already. Then type in the hypothesized mean (μ_0), sample standard deviation, sample mean, sample size, (or



list name (list1), and Freq: 1), arrow over to the \neq , <, > and select the sign that is the same as the problems alternative hypothesis statement then press the [ENTER] key to calculate. The calculator returns the t-test statistic and p-value.

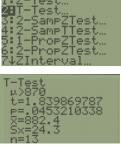
Proportion

1-PropZTest $H_0: p = p_0$ $H_1: p \neq p_0$ Test statistic is $z = \frac{\hat{p} - p_0}{\sqrt{\left(\frac{p_0 q_0}{n}\right)}}$ where $\hat{p} = \frac{x}{n}$

TI-83 or 84

Press the [STAT] key, arrow over to the [TESTS] menu, arrow down to the option [5:1-PropZTest] and press the [ENTER] key. Type in the hypothesized proportion (p_0), X, sample size, arrow over to the \neq , <, > sign that is the same in the problems alternative hypothesis statement then press the [ENTER] key, arrow down to [Calculate] and press the [ENTER] key. The calculator returns the z-test statistic and the p-value. Note: sometimes you are not given the x value but a percentage instead. To find the x to use in the calculator, multiply \hat{p} by the sample size and round off to the nearest integer. The calculator will give you an error message if you put in a decimal for x or n. For example, if \hat{p} = .22 and n = 124 then .22*124 = 27.28, so use x = 27.





T Test

TI-89

Go to the [Apps] **Stat/List Editor**, then select 2^{nd} then F6 [Tests], then select **5: 1-PropZ-Test**. Type in the hypothesized proportion (p_0) , x, sample size, arrow over to the \neq , <, > sign that is the same in the problems alternative hypothesis statement then press the [ENTER] key to calculate. The calculator returns the z-test statistic and the p-value. Note: sometimes you are not given the x value but a percentage instead. To find the x value to use in the calculator, multiply \hat{p} by the sample size and round off to the nearest integer. The calculator will give you an error message if you put in a decimal for x or n. For example, if \hat{p} = .22 and n = 124 then .22*124 = 27.28, so use x = 27.

Two Sample Tests

2 Means – Dependent Populations

Find the difference (d) between each matched pairs.

Paired t-test $H_0: \mu_D = 0$ $H_1: \mu_D \neq 0$ Test statistic: $t = \frac{\overline{D} - \mu_D}{\left(\frac{S_D}{\sqrt{n}}\right)}$ with df = n - 1

TI-83 or 84

Find the differences between the sample pairs (you can subtract two lists to do this). Press the [STAT] key and then the [EDIT] function, enter the difference column into list one. Press the [STAT] key, arrow over to the [TESTS] menu, arrow down to the option [2:T -Test] and press the [ENTER] key. Arrow over to the [Data] menu and press the [ENTER] key. Then type in the hypothesized mean as 0, List: L₁, leave Freq:1 alone, arrow over to the \neq , <, > sign that is the same in the problems alternative hypothesis statement then press the [ENTER] key, arrow down to [Calculate] and press the [ENTER] key. The calculator returns the t-test statistic, the p-value, $\overline{D} = \overline{x}$ and

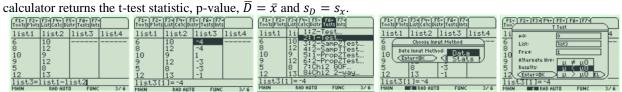


TI-89

Find the differences between the sample pairs (you can subtract two lists to do this). Go to the [Apps] **Stat/List Editor**, enter the two data sets in lists 1 and 2. Move the curser so that it is highlighted on the header of list3. Select $[2^{nd}]$ Var-Link and move down to list1 and select [Enter]. This brings the name list1 back to the list3 at the bottom, select the minus [-] key, then select $[2^{nd}]$ Var-link and this time highlight list2



and select [Enter]. You should now see list1-list2 at the bottom of the window. Select [Enter] then the differences will be stored in list3. Select [2nd] then F6 [Tests], select **2: T-Test**. Select the [Data] menu. Then type in the hypothesized mean as 0, List: list1, Freq:1, arrow over to the \neq , <, > and select the sign that is the same in the problems alternative hypothesis, press the [ENTER] key to calculate. The



Paired t-test Confidence Interval: $\overline{D} \pm t_{\alpha/2} \left(\frac{s_D}{\sqrt{n}}\right)$ with df = n - 1.

TI-83 or 84

First, find the differences between the samples. Then on the TI-83 press the [STAT] key, arrow over to the [TESTS] menu, arrow down to the [8:TInterval] option and press the [ENTER] key. Arrow over to the [Data] menu and press the [ENTER] key. The defaults are List: L₁, Freq:1. If this is set with a different list, arrow down and use $[2^{nd}]$ [1] to get L₁. Then type in the confidence level. Arrow down to [Calculate] and press the [ENTER] key. The calculator returns the confidence interval, $\overline{D} = \overline{x}$ and $s_D = s_x$.

TI-89

First, find the differences between the samples. Go to the [Apps] **Stat/List Editor**, then enter the differences into list 1. Select 2nd then F7 [Ints], then select **2: T-Interval**. Select the [Data] menu. Enter in List: list1, Freq:1. Then type in the confidence level. Press the [ENTER] key to calculate. The calculator returns the confidence interval, $\overline{D} = \overline{x}$ and $s_D = s_x$.

2 Means – Independent Populations-Population Standard Deviations Unknown

Test statistic when s₁ and s₂ are given in the problem: $t = \frac{(\bar{x}_1 - \bar{x}_2) - (\mu_1 - \mu_2)_0}{(\bar{x}_1 - \bar{x}_2)}$

TI-83 or 84

Press the [STAT] key, arrow over to the [TESTS] menu, arrow down to the option [4:2-SampTTest] and press the [ENTER] key. Arrow over to the [Stats] menu and

press the [Enter] key. Enter the means, standard deviations, sample sizes, confidence level. Then arrow over to the not equal, <, > sign that is the same in the problems alternative hypothesis statement then press the [ENTER] key. Highlight the No option under Pooled for unequal variances. Arrow down to [Calculate] and press the [ENTER] key. The calculator returns the test statistic and the p-value. If you have raw data, press the [STAT] key and then the [EDIT] function, enter the data into list one for males and list two for females. Press the [STAT] key, arrow over to the [TESTS] menu, arrow down to the option [4:2-SampTTest] and press the [ENTER] key. Arrow over to the [Data] menu and press the [ENTER] key. The defaults are List1: L_1 , List2: L_2 , Freq1:1, Freq2:1. If these are set different arrow down and use [2nd] [1] to get L_1 and [2nd] [2] to get L_2 .

use df =

082869

 $\left(\frac{s_1^2}{n_1}\right)^2 \left(\frac{1}{r}\right)$

7082869

TI-89

Go to the [Apps] **Stat/List Editor**, then select 2^{nd} then F6 [Tests], then select **4: 2-SampT-Test**. Enter the sample means, sample standard deviations, and sample sizes, (or list names (list3 & list4), and Freq1:1 & Freq2:1). Then arrow over to the not equal, <, > and select the sign that is the same in the problems alternative hypothesis statement. Highlight the No option under Pooled. Press the [ENTER] key to calculate. The calculator returns the t-test statistic and the p-value.



Confidence interval when s₁ and s₂ are given in the problem: $(\bar{x}_1 - \bar{x}_2) \pm t_{\alpha/2} \sqrt{\left(\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}\right)}$

$$df = \frac{\left(\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}\right)^2}{\left(\left(\frac{s_1^2}{n_1}\right)^2 \left(\frac{1}{n_1-1}\right) + \left(\frac{s_2^2}{n_2}\right)^2 \left(\frac{1}{n_2-1}\right)\right)}$$

TI-83 or 84

Press the [STAT] key, arrow over to the [TESTS] menu, arrow down to the option [**0:2-SampTInt**] and press the [ENTER] key. Arrow over to the [Stats] menu and press the [Enter] key. Enter the means, standard deviations, sample sizes, confidence level. Highlight the No option under Pooled for unequal variances. Arrow down to [Calculate] and press the [ENTER] key. The calculator returns the confidence interval.

Or (If you have raw data in list one and list two) press the [STAT] key and then the [EDIT] function, type the data into list one for sample one and list two for sample two. Press the [STAT] key, arrow over to the [TESTS] menu, arrow down to the option [0:2-SampTInt] and press the [ENTER] key. Arrow over to the [Data] menu and press the [ENTER] key. The defaults are List1: L_1 , List2: L_2 , Freq1:1, Freq2:1. If these are set different, arrow down and use $[2^{nd}]$ [1] to get L_1 and $[2^{nd}]$ [2] to get L_2 . Then type in the confidence level. Highlight the No option under Pooled for unequal variances. Arrow down to [Calculate] and press the [ENTER] key. The calculator returns the confidence interval.

TI-89

Go to the [Apps] **Stat/List Editor**, then select 2nd then F5 [Ints], then select **4: 2-SampTInt**. Enter the sample means, sample standard deviations, sample sizes, (or list names (list3 & list4), and Freq1:1 & Freq2:1), confidence level. Highlight the No option under Pooled. Press the [ENTER] key to calculate. The calculator returns the confidence interval. If you have the raw data, select Data and enter the list names as in the following example to the right.

2 Proportions

Test statistic $z = \frac{(\hat{p}_1 - \hat{p}_2) - (p_1 - p_2)}{\sqrt{\left(\hat{p} \cdot \hat{q}\left(\frac{1}{n_1} + \frac{1}{n_2}\right)\right)}}$, (usually $p_1 - p_2 = 0$) where $\hat{p} = \frac{(x_1 + x_2)}{(n_1 + n_2)} = \frac{(\hat{p}_1 \cdot n_1 + \hat{p}_2 \cdot n_2)}{(n_1 + n_2)}$, $\hat{q} = 1 - \hat{p}$. $H_0: p_1 = p_2$ $H_1: p_1 \neq p_2$

Press the [STAT] key, arrow over to the [TESTS] menu, arrow down to the option [2-PropZTest] and press the [ENTER] key. Type in the x₁, n₁, x₂, n₂, arrow over to the \neq , <, > sign that is in the alternative hypothesis statement then press the [ENTER] key, arrow down to [Calculate] and press the [ENTER] key. The calculator returns the z-test statistic and the p-value. Note x_1 and x_2 need to be a whole number, not a decimal.

Confidence Interval: $(\hat{p}_1 - \hat{p}_2) \pm z_{\alpha/2} \sqrt{\left(\frac{\hat{p}_1 \hat{q}_1}{n_1} + \frac{\hat{p}_2 \hat{q}_2}{n_2}\right)}$ where $\hat{p}_1 = \frac{x_1}{n_1}, \hat{p}_2 = \frac{x_2}{n_2}$.

Press the [STAT] key, arrow over to the [TESTS] menu, arrow down to the option [7:2-PropZInterval] and press the [ENTER] key. Type in the x_1 , n_1 , x_2 , n_2 , the confidence level, then press the [ENTER] key, arrow down to [Calculate] and press the [ENTER] key. The calculator returns the confidence interval.

Other Types of Tests Goodness of Fit Test

"There is no preference" w/4 groups H_0 : $p_1=.25$, $p_2=.25$, $p_3=.25$, $p_4=.25$

"There is a preference" H₁: At least one proportion is different. Proportions are 1/k or different percentages for each group given in the problem. If %'s are given use those

decimals for each p_i. Expected values are found by taking each group's proportion times the sample size (p_i×n), df=k-1. Test statistic: $\chi^2 = \sum \frac{(O-E)^2}{E}$

TI-83 or 84

Hypothesis test for three or more proportions (goodness of fit test). Before you start write down your observed and expected values. Select Stat, then Calc. Type in the observed values into list 1, and the expected values into list 2. Select Stat, then Tests. Go down to option D: χ^2 GOF. Choose L₁ for the Observed category and L₂ for the Expected category, type in your degrees of freedom (df = k - 1),

and then select Calculate. The calculator returns the χ^2 -test statistic and the pvalue. Right arrow to see more.



TI-89

Hypothesis test for three or more proportions (goodness of fit test). Go to the [Apps] Stat/List Editor, then type in the observed values into list 1, and the expected values into list 2. Select 2nd then F6 [Tests], then select 7: Chi-2GOF. Type in the list names and the degrees of freedom (df = k - 1). Then press the [ENTER] key to calculate. The calculator returns the χ^2 -test statistic and the p-value.



Test for Independence

H₀: Variable 1 is independent of Variable 2.

H₁: <u>Variable 1</u> is dependent of <u>Variable 2</u>. Expected Value= $\frac{\text{Row Sum Column Sum}}{\text{Grand Total}}$ for each cell. Test statistic: $\chi^2 = \sum \frac{(O-E)^2}{E}$, df = (R-1)(C-1).

TI-83 or TI-84

Hypothesis test for the independence of two variables (contingency tables). Press the [2nd] then [MATRX] key. Arrow over to the EDIT menu and 1:[A] should be highlighted, press the [ENTER] key. For a m X n contingency table, type in the number of rows(m) and the number of columns(n) at the top of the screen so that it looks like this MATRIX[A] m X n. For example a 2 X 3 contingency table, the top of the screen



"There is not a preference"

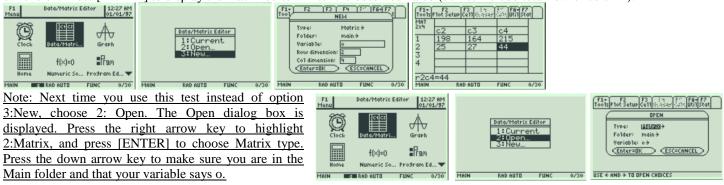
would look like this MATRIX[A] 2 X 3, as you hit [ENTER] the table will automatically widen to the size you put in. Now enter all of the observed values in their proper positions. Then press the [STAT] key, arrow over to the [TESTS] menu, arrow down to the option

[C: χ^2 -Test] and press the [ENTER] key. Leave the default as Observed:[A] and Expected:[B], arrow down to [Calculate] and press the [ENTER] key. The calculator returns the χ^2 -test statistic and the p-value. If you go back to the matrix menu [2nd] then [MATRX] key, arrow over to EDIT and choose 2:[B], you will see all of the expected values.



TI-89

First you need to create the matrix for the observed values: Press: [Home] to return to the Home screen, press [Apps] and select Data/Matrix Editor. A menu is displayed, select 3:New. The New dialog box is displayed. Press the right arrow key to highlight 2:Matrix, and press [ENTER] to choose Matrix type. Press the down arrow key to highlight 1:main, and press [ENTER], to choose main folder. Press the down arrow key, and then enter the letter o for the name in the Variable field. Enter 2 for Row dimension and 4 for Column dimension. Press [ENTER] to display the matrix editor. Enter the observed value (do not include total row or column).



Press [Apps], and then select Stats/List Editor. To display the Chi-square 2-Way dialog box, press 2^{nd} then F6 [Tests], then select 8: Chi-2 2-way. Enter in in the Observed Mat: o; leave the other rows alone: Store Expected to: statvars/e; Store CompMat to: statvars/c. This will store the expected values in the matrix folder statvars with the name expmat, and the $(o-e)^2/e$ values in the matrix compmat. Press the [ENTER] key to calculate.

F1 Too	* F2+ F3+ F4+ F5+ F6+ F7+ * F2+ F3+ F4+ F3+ F4+ F5+ F6+ F7+ * F2+ F3+ F4+ F5+ F6+ F7+ F7+ F5+ F6+ F7+ F7+ F7+ F7+ F7+ F7+ F7+ F7+ F7+ F7		F1 Menu	Stats/List Edit	0F 12:42 AM 01/01/97	F1 Menu	Stats/List Editor	12:43 AM 01/01/97	F1+ F2+ Tools Plots	F3+F4+ List Calc	F5+ F6+ Distr Tests	F7+ Ints	F1- Tools	F2+ F3+ F4+ sP1otsListCa1cl	Distr Tests Ints	<u> </u>)
1i 	Chi-2 =11.2167 P Value =.01061	=]4		f(×)=0	=Rram 📩		r Selection for Statistics : Current Folder is: main	IPPlication	list1	2	Z-Test	 ŽTest		Observed Mat:	o o	=i	-
	df =3. Exp Mat =[[228.585/195		Home		Program Ed	Selec	t Current Folder: month			4	1-Prop	ZTest		Store Expected t Store CompMat t		\equiv	
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li: Mal	st1[1]=	1/ 6	Stats/List E MAIN a	Table RAD AUTO	Text Editor V	USE 4 AN	ND + TO OPEN CHOICES		list1[MAIN	1]= RAD AI	1UTO FI	JNC 1/6	lis	t1[1]=		1/6	-

The calculator returns the χ^2 -test statistic and the p-value. If you go back to the matrix menu, you will see all of the expected and (o-e)²/e values.

To see the expected and $(o-e)^2/e$ values, select [APPS] and select Data/Matrix Editor. Select 2:Open, change the Type to Matrix, change the Folder to statvars, and change the Variable to expmat or compmat.



One-Factor ANOVA table k=#of groups, N=total of all n's

 $H_0: \mu_1 = \mu_2 = \mu_3 = \dots = \mu_k$ $H_1:$ At least one mean differs

Source	SS = Sum of Squares	df	MS = Mean Square	F
Between (Factor)	$SSB = \sum n_i (\bar{x}_i - \bar{x}_{GM})^2$	k-1	$MSB = \frac{SSB}{k-1}$	$F = \frac{MSB}{MSW}$
Within (Error)	$SSW = \sum (n_i - 1)s_i^2$	N-k	$MSW = \frac{SSW}{N-k}$	
Total	SST	N-1		

$$\begin{split} &H_0 \colon \mu_i = \mu_j \\ &H_1 \colon \mu_i \neq \mu_j \end{split}$$
Bonferroni test statistic: $t = \frac{\bar{x}_i - \bar{x}_j}{\sqrt{\left(msw\left(\frac{1}{n_i} + \frac{1}{n_j}\right)\right)}}$ H₀: $\mu_i = \mu_j$ H₁: $\mu_i \neq \mu_j$ Multiply p-value by $m = {}_kC_2$, divide area for critical value by $m = {}_kC_2$.

Correlation and Regression

$\begin{array}{ll} \operatorname{SS}_{xx} = (n-1)s_x^2 & \operatorname{Correlation Coefficient} \\ \operatorname{SS}_{yy} = (n-1)s_y^2 & r \in \overline{y} \\ \operatorname{SS}_{xy} = \sum(xy) - n \cdot \overline{x} \cdot \overline{y} & r \in \overline{y} \\ \operatorname{Correlation t-test} & \operatorname{Regression Equation} (\operatorname{Line of Best Fit}) \\ H_0: \rho = 0 & t = r \sqrt{\left(\frac{n-2}{1-r^2}\right)} & \operatorname{df} = n-2 & p = 0 \\ H_1: \rho \neq 0 & t = r \sqrt{\left(\frac{n-2}{1-r^2}\right)} & \operatorname{df} = n-2 & p = 0 \\ \end{array}$ $\begin{array}{l} \operatorname{Slope} & y - \operatorname{Intercept} \\ b_0 = \overline{y} - b_1 \overline{x} & y = 0 \\ H_1: \beta_1 = 0 & t = \frac{b_1}{\sqrt{\left(\frac{MSE}{Sxx}\right)}} & H_0: \beta_1 = 0 \\ H_1: \beta_1 \neq 0 & t = \frac{b_1}{\sqrt{\left(\frac{MSE}{Sxx}\right)}} & H_1: \beta_1 \neq 0 \\ \end{array}$ $\begin{array}{l} \operatorname{Slope} & \operatorname{Standard Error of Estimate} & \operatorname{Residual} \\ s = \sqrt{\frac{\sum(y_1 - \hat{y}_1)^2}{n-2}} = \sqrt{MSE} & e_i = y_i - \hat{y}_i \\ \end{array}$ $\begin{array}{l} \operatorname{Prediction Interval} & \operatorname{Coefficient of Determination} \\ \widehat{y} \pm t_{\alpha/2} \cdot s \sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{Sxx}\right)} & \operatorname{Model F-Test for Multiple Regression} \\ \operatorname{H_0:} \beta_1 = \beta_2 = \cdots = \beta_p = 0 \\ \operatorname{H_1:} At least one slope is not zero. \\ \end{array}$	Correlation and Regression	
$\begin{array}{llllllllllllllllllllllllllllllllllll$	$SS_{xx} = (n - 1)s_x^2$	Correlation Coefficient
Correlation t-test $H_0: \rho = 0$ $H_1: \rho \neq 0$ $t = r\sqrt{\left(\frac{n-2}{1-r^2}\right)}$ df = n - 2Regression Equation (Line of Best Fit) $\hat{y} = b_0 + b_1 x$ Slope $b_1 = \frac{5S_{xy}}{SS_{xx}}$ y-Intercept $b_0 = \bar{y} - b_1 \bar{x}$ y-Intercept $b_0 = \bar{y} - b_1 \bar{x}$ Slope t-test $H_0: \beta_1 = 0$ $H_1: \beta_1 \neq 0$ $t = \frac{b_1}{\sqrt{\left(\frac{MSE}{SS_{xx}}\right)}}$ Slope/Model F-test $H_0: \beta_1 = 0$ $H_1: \beta_1 \neq 0$ df = n - p - 1 = n - 2Standard Error of Estimate $s = \sqrt{\frac{\sum(y_i - \hat{y}_i)^2}{n-2}} = \sqrt{MSE}$ Residual $e_i = y_i - \hat{y}_i$ Prediction Interval $\hat{y} \pm t_{\alpha/2} \cdot s\sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{SS_{xx}}\right)}$ Coefficient of Determination $H_0: \beta_1 = \beta_2 = \cdots = \beta_p = 0$ $H_1: At least one slope is not zero.$	$ SS_{yy}=(n-1)s_y^2$	$r = \frac{SS_{xy}}{s}$
$\begin{array}{ll} H_{0}:\rho=0 & t=r\sqrt{\left(\frac{n-2}{1-r^{2}}\right)} & \mathrm{df}=\mathrm{n}-2 & \widehat{y}=b_{0}+b_{1}x \\ \hline y=b_{0}+b_{1}x & \mathrm{slope} & \mathrm{slope} \\ b_{1}=\frac{SS_{xy}}{SS_{xx}} & b_{0}=\bar{y}-b_{1}\bar{x} \\ \hline \\ \mathrm{Slope \ t-test} & b_{0}=\bar{y}-b_{1}\bar{x} \\ H_{0}:\beta_{1}=0 & t=\frac{b_{1}}{\sqrt{\left(\frac{MSE}{SS_{xx}}\right)}} & \mathrm{H}_{1}:\beta_{1}=0 \\ \mathrm{H}_{1}:\beta_{1}\neq0 & t=\frac{b_{1}}{\sqrt{\left(\frac{MSE}{SS_{xx}}\right)}} & \mathrm{H}_{1}:\beta_{1}=0 \\ \mathrm{H}_{1}:\beta_{1}\neq0 & \mathrm{fermion} & fermi$	$SS_{xy} = \sum (xy) - n \cdot \bar{x} \cdot \bar{y}$	$\sqrt{(SS_{xx}\cdot SS_{yy})}$
Slope $b_1 = \frac{SS_{xy}}{SS_{xx}}$ y-Intercept $b_0 = \bar{y} - b_1 \bar{x}$ Slope t-test $H_0: \beta_1 = 0$ $H_1: \beta_1 \neq 0$ $t = \frac{b_1}{\sqrt{\left(\frac{MSE}{SS_{xx}}\right)}}$ Slope/Model F-test $H_0: \beta_1 = 0$ $H_1: \beta_1 \neq 0$ df = n - p - 1 = n - 2Hand the form of Estimate $s = \sqrt{\frac{\Sigma(y_i - \hat{y}_i)^2}{n-2}} = \sqrt{MSE}$ Residual $e_i = y_i - \hat{y}_i$ Prediction Interval $\hat{y} \pm t_{\alpha/2} \cdot s\sqrt{\left(1 + \frac{1}{n} + \frac{(x - \hat{x})^2}{SS_{xx}}\right)}$ Coefficient of Determination $R^2 = (r)^2 = \frac{SSR}{SST}$ Multiple Linear Regression Equation $\hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p$ Model F-Test for Multiple Regression $H_0: \beta_1 = \beta_2 = \dots = \beta_p = 0$ $H_1: At least one slope is not zero.Adjusted Coefficient of DeterminationHand the function$	Correlation t-test	Regression Equation (Line of Best Fit)
Slope $b_1 = \frac{SS_{xy}}{SS_{xx}}$ y-Intercept $b_0 = \bar{y} - b_1 \bar{x}$ Slope t-test $H_0: \beta_1 = 0$ $H_1: \beta_1 \neq 0$ $t = \frac{b_1}{\sqrt{\left(\frac{MSE}{SS_{xx}}\right)}}$ df = n - p - 1 = n - 2Standard Error of Estimate $s = \sqrt{\frac{\Sigma(y_i - \hat{y}_i)^2}{n-2}} = \sqrt{MSE}$ Residual $e_i = y_i - \hat{y}_i$ Prediction Interval $\hat{y} \pm t_{\alpha/2} \cdot s\sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{SS_{xx}}\right)}$ Coefficient of Determination $H_0: \beta_1 = \beta_2 = \dots = \beta_p = 0$ $H_1: At least one slope is not zero.Adjusted Coefficient of DeterminationHold the state of the state o$	$H_0: \rho = 0$ $t = \pi \sqrt{(n-2)}$ $df = \pi - 2$	$\hat{y} = b_0 + b_1 x$
$\begin{array}{ll} b_1 = \frac{SS_{xy}}{SS_{xx}} & b_0 = \bar{y} - b_1 \bar{x} \\ \hline \\ \text{Slope t-test} \\ H_0: \beta_1 = 0 \\ H_1: \beta_1 \neq 0 \\ \hline \\ H_1: \beta_1 \neq 0 \\ \hline \\ \\ \text{df} = n - p - 1 = n - 2 \\ \hline \\ \text{Standard Error of Estimate} \\ s = \sqrt{\frac{\Sigma(y_i - \hat{y}_i)^2}{n - 2}} = \sqrt{MSE} \\ \hline \\ \text{Prediction Interval} \\ \hat{y} \pm t_{\alpha/2} \cdot s \sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{SS_{xx}}\right)} \\ \hline \\ \text{Multiple Linear Regression Equation} \\ \hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p \\ \hline \\ \text{Adjusted Coefficient of Determination} \\ \hline \\ \end{array}$	$H_1: \rho \neq 0$ $l = l \sqrt{\left(\frac{1-r^2}{1-r^2}\right)}$ $dl = ll - 2$	
ShowSlope t-testSlope/Model F-test $H_0: \beta_1 = 0$ $t = \frac{b_1}{\sqrt{\left(\frac{MSE}{SS_{xx}}\right)}}$ $H_1: \beta_1 = 0$ $H_1: \beta_1 \neq 0$ $t = \frac{b_1}{\sqrt{\left(\frac{MSE}{SS_{xx}}\right)}}$ $H_1: \beta_1 = 0$ $df = n - p - 1 = n - 2$ Standard Error of EstimateResidual $s = \sqrt{\frac{\Sigma(y_i - \hat{y}_i)^2}{n-2}} = \sqrt{MSE}$ $e_i = y_i - \hat{y}_i$ Prediction IntervalCoefficient of Determination $\hat{y} \pm t_{\alpha/2} \cdot s \sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{SS_{xx}}\right)}$ $Model F$ -Test for Multiple RegressionMultiple Linear Regression EquationModel F-Test for Multiple Regression $\hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p$ $H_0: \beta_1 = \beta_2 = \dots = \beta_p = 0$ Adjusted Coefficient of Determination $H_1:$ At least one slope is not zero.		y-Intercept
ShowSlope t-testSlope/Model F-test $H_0: \beta_1 = 0$ $t = \frac{b_1}{\sqrt{\left(\frac{MSE}{SS_{xx}}\right)}}$ $H_1: \beta_1 = 0$ $H_1: \beta_1 \neq 0$ $t = \frac{b_1}{\sqrt{\left(\frac{MSE}{SS_{xx}}\right)}}$ $H_1: \beta_1 = 0$ $df = n - p - 1 = n - 2$ Standard Error of EstimateResidual $s = \sqrt{\frac{\Sigma(y_i - \hat{y}_i)^2}{n-2}} = \sqrt{MSE}$ Coefficient of Determination $\hat{y} \pm t_{\alpha/2} \cdot s\sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{SS_{xx}}\right)}$ R ² = $(r)^2 = \frac{SSR}{SST}$ Multiple Linear Regression EquationModel F-Test for Multiple Regression $\hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p$ Ho: $\beta_1 = \beta_2 = \dots = \beta_p = 0$ Adjusted Coefficient of DeterminationH1: At least one slope is not zero.	$b_1 = \frac{SS_{xy}}{S}$	$b_0 = \bar{y} - b_1 \bar{x}$
$ \begin{array}{ll} H_0: \hat{\beta}_1 = 0 \\ H_1: \hat{\beta}_1 \neq 0 \end{array} t = \frac{b_1}{\sqrt{\left(\frac{MSE}{SS_{XX}}\right)}} \\ df = n - p - 1 = n - 2 \end{array} \end{array} \begin{array}{ll} H_0: \hat{\beta}_1 = 0 \\ H_1: \hat{\beta}_1 \neq 0 \end{array} \\ H_1: \hat{\beta}_1 \neq 0 \end{array} \\ f = n - p - 1 = n - 2 \end{array} \end{array} $ $ \begin{array}{ll} \text{Standard Error of Estimate} \\ s = \sqrt{\frac{\Sigma(y_i - \hat{y}_i)^2}{n - 2}} = \sqrt{MSE} \end{array} \end{array} \begin{array}{ll} \text{Residual} \\ e_i = y_i - \hat{y}_i \end{array} \\ \hline \text{Prediction Interval} \\ \hat{y} \pm t_{\alpha/2} \cdot s \sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{SS_{XX}}\right)} \end{array} \end{array} \begin{array}{ll} \text{Coefficient of Determination} \\ R^2 = (r)^2 = \frac{SSR}{SST} \\ \hline \text{Multiple Linear Regression Equation} \\ \hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p \end{array} \end{array} \begin{array}{ll} \text{Model F-Test for Multiple Regression} \\ H_0: \beta_1 = \beta_2 = \dots = \beta_p = 0 \\ H_1: \text{At least one slope is not zero.} \end{array}$	$1 SS_{XX}$	
$\frac{df = n - p - 1 = n - 2}{Standard Error of Estimate} Residual s = \sqrt{\frac{\Sigma(y_i - \hat{y}_i)^2}{n - 2}} = \sqrt{MSE} Prediction Interval\hat{y} \pm t_{\alpha/2} \cdot s \sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{SS_{xx}}\right)} Coefficient of DeterminationR^2 = (r)^2 = \frac{SSR}{SST} Multiple Linear Regression Equation\hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p Model F-Test for Multiple RegressionH_0: \beta_1 = \beta_2 = \dots = \beta_p = 0 H_1: At least one slope is not zero.$	Slope t-test	Slope/Model F-test
$\frac{df = n - p - 1 = n - 2}{Standard Error of Estimate} S = \sqrt{\frac{\Sigma(y_i - \hat{y}_i)^2}{n - 2}} = \sqrt{MSE} Prediction Interval} \hat{y} \pm t_{\alpha/2} \cdot s \sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{SS_{xx}}\right)} \\ Multiple Linear Regression Equation \hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p \\ Adjusted Coefficient of Determination Residuale_i = y_i - \hat{y}_iCoefficient of DeterminationR^2 = (r)^2 = \frac{SSR}{SST}Model F-Test for Multiple RegressionH_0: \beta_1 = \beta_2 = \dots = \beta_p = 0H_1: At least one slope is not zero.$	$H_0: \beta_1 = 0 \qquad t = b_1$	$H_0:\beta_1=0$
Standard Error of EstimateResidual $s = \sqrt{\frac{\Sigma(y_i - \hat{y}_i)^2}{n-2}} = \sqrt{MSE}$ $e_i = y_i - \hat{y}_i$ Prediction IntervalCoefficient of Determination $\hat{y} \pm t_{\alpha/2} \cdot s \sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{SS_{xx}}\right)}$ $R^2 = (r)^2 = \frac{SSR}{SST}$ Multiple Linear Regression EquationModel F-Test for Multiple Regression $\hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p$ $H_0: \beta_1 = \beta_2 = \dots = \beta_p = 0$ Adjusted Coefficient of Determination $H_1:$ At least one slope is not zero.	$H_1: \beta_1 \neq 0 \qquad \iota = \frac{1}{\sqrt{\frac{MSE}{SS_{xx}}}}$	$H_1:\beta_1\neq 0$
$s = \sqrt{\frac{\Sigma(y_i - \hat{y}_i)^2}{n-2}} = \sqrt{MSE}$ $e_i = y_i - \hat{y}_i$ Prediction Interval $\hat{y} \pm t_{\alpha/2} \cdot s\sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{SS_{xx}}\right)}$ Coefficient of Determination $R^2 = (r)^2 = \frac{SSR}{SST}$ Multiple Linear Regression Equation $\hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p$ Model F-Test for Multiple Regression $H_0: \beta_1 = \beta_2 = \dots = \beta_p = 0$ $H_1:$ At least one slope is not zero.Adjusted Coefficient of DeterminationImage: state of the state of th	df = n - p - 1 = n - 2	
$s = \sqrt{\frac{BOT SD}{n-2}} = \sqrt{MSE}$ Coefficient of DeterminationPrediction IntervalCoefficient of Determination $\hat{y} \pm t_{\alpha/2} \cdot s \sqrt{\left(1 + \frac{1}{n} + \frac{(x-\bar{x})^2}{SS_{xx}}\right)}$ $R^2 = (r)^2 = \frac{SSR}{SST}$ Multiple Linear Regression EquationModel F-Test for Multiple Regression $\hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p$ $H_0: \beta_1 = \beta_2 = \dots = \beta_p = 0$ Adjusted Coefficient of Determination $H_1:$ At least one slope is not zero.	Standard Error of Estimate	Residual
$\hat{y} \pm t_{\alpha/2} \cdot s_{\sqrt{\left(1 + \frac{1}{n} + \frac{(x-\bar{x})^2}{SS_{xx}}\right)}} \qquad R^2 = (r)^2 = \frac{SSR}{SST}$ Multiple Linear Regression Equation $\hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p \qquad \text{Model F-Test for Multiple Regression}$ $H_0: \beta_1 = \beta_2 = \dots = \beta_p = 0$ $H_1: \text{ At least one slope is not zero.}$	$s = \sqrt{\frac{\Sigma(y_i - \hat{y}_i)^2}{n-2}} = \sqrt{MSE}$	$e_i = y_i - \hat{y}_i$
$y \perp t_{\alpha/2}$ $s_{S_{xx}}$ $s_{S_{xx}}$ Multiple Linear Regression EquationModel F-Test for Multiple Regression $\hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p$ $H_0: \beta_1 = \beta_2 = \dots = \beta_p = 0$ Adjusted Coefficient of Determination $H_1:$ At least one slope is not zero.	Prediction Interval	Coefficient of Determination
$ \hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p $ $ H_0: \beta_1 = \beta_2 = \dots = \beta_p = 0$ $ H_1: \text{ At least one slope is not zero.} $ $ Adjusted Coefficient of Determination $	$\hat{y} \pm t_{\alpha/2} \cdot s_{\sqrt{\left(1 + \frac{1}{n} + \frac{(x - \bar{x})^2}{SS_{xx}}\right)}}$	$R^2 = (r)^2 = \frac{SSR}{SST}$
H1: At least one slope is not zero. Adjusted Coefficient of Determination	Multiple Linear Regression Equation	Model F-Test for Multiple Regression
Adjusted Coefficient of Determination	$\hat{y} = b_0 + b_1 x_1 + \dots + b_p x_p$	$H_0: \beta_1 = \beta_2 = \dots = \beta_p = 0$
		H_1 : At least one slope is not zero.
$R_{adj}^2 = 1 - \left(\frac{(1-R^2)(n-1)}{(n-p-1)}\right)$	Adjusted Coefficient of Determination	
	$R_{adj}^{2} = 1 - \left(\frac{(1-R^{2})(n-1)}{(n-p-1)}\right)$	