

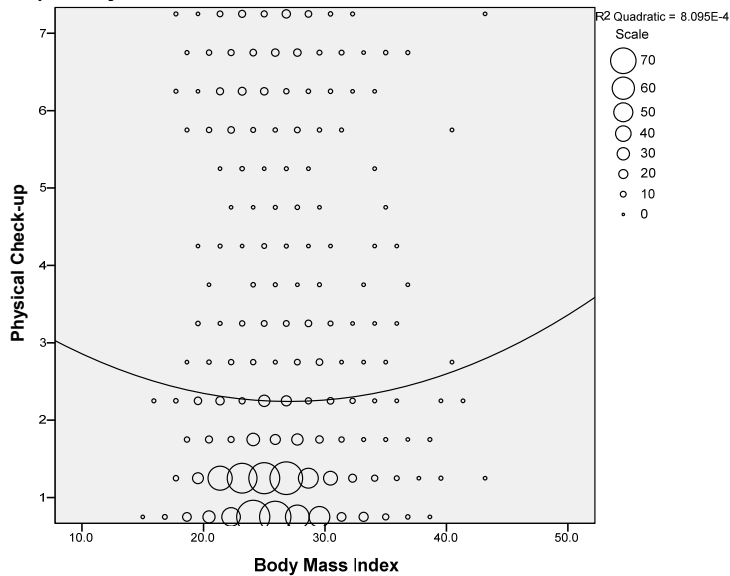
## Curvilinear Regression Example Canadian NPHS Check-up Recency Regressed on Weight

### SPSS

#### Plot

```
graph  
  /scatterplot(bivar)=checkup with weight.
```

The chart editor let's you select some different markers, like these bubbles, which are larger with higher frequency.



#### Syntax

```
output close *.
```

```
get file='c:\jason\spsswin\da2\hbs_2.sav'.
```

```
* Random sample of approx 1200 older adults from the Canadian NPHS.
```

```
*make sure n the mean is based on is the same used in the regression model.
```

```
count nmiss=checkup weight (missing).
```

```
select if nmiss=0.
```

```
*mean center the weight variable.
```

```
aggregate /mweight=MEAN(weight).
```

```
compute cweight=weight - mweight.
```

```
*compute quadratic effect variable.
```

```
compute cweight2=cweight*cweight.
```

```
regression vars=checkup cweight cweight2
```

```
  /descriptives=mean stdev n sig corr
```

```
  /statistics=anova r coeff ses cha ci(95)
```

```
  /dependent=checkup
```

```
  /method=enter cweight cweight2
```

```
  /scatterplot (*zresid *zpred).
```

#### Output Regression

##### Descriptive Statistics

	Mean	Std. Deviation	N
checkup Physical Check-up	2.28	2.027	1191
cweight	.00000	4.114211	1191
cweight2	16.91252	29.174028	1191

**Correlations**

		CHECKUP Physical Check-up	CWEIGHT	CWEIGHT2
Pearson Correlation	CHECKUP Physical Check-up	1.000	.000	.027
	CWEIGHT	.000	1.000	.361
	CWEIGHT2	.027	.361	1.000
Sig. (1-tailed)	CHECKUP Physical Check-up	.	.496	.179
	CWEIGHT	.496	.	.000
	CWEIGHT2	.179	.000	.
N	CHECKUP Physical Check-up	1191	1191	1191
	CWEIGHT	1191	1191	1191
	CWEIGHT2	1191	1191	1191

**Model Summary**

Model	R	R Square	Adjusted R Square	Std. Error of the Estimate	Change Statistics				
					R Square Change	F Change	df1	df2	Sig. F Change
1	.028 <sup>a</sup>	.001	-.001	2.028	.001	.481	2	1188	.618

a. Predictors: (Constant), CWEIGHT2, CWEIGHT

**ANOVA<sup>b</sup>**

Model		Sum of Squares	df	Mean Square	F	Sig.
1	Regression	3.959	2	1.979	.481	.618 <sup>a</sup>
	Residual	4886.375	1188	4.113		
	Total	4890.334	1190			

a. Predictors: (Constant), CWEIGHT2, CWEIGHT

b. Dependent Variable: CHECKUP Physical Check-up

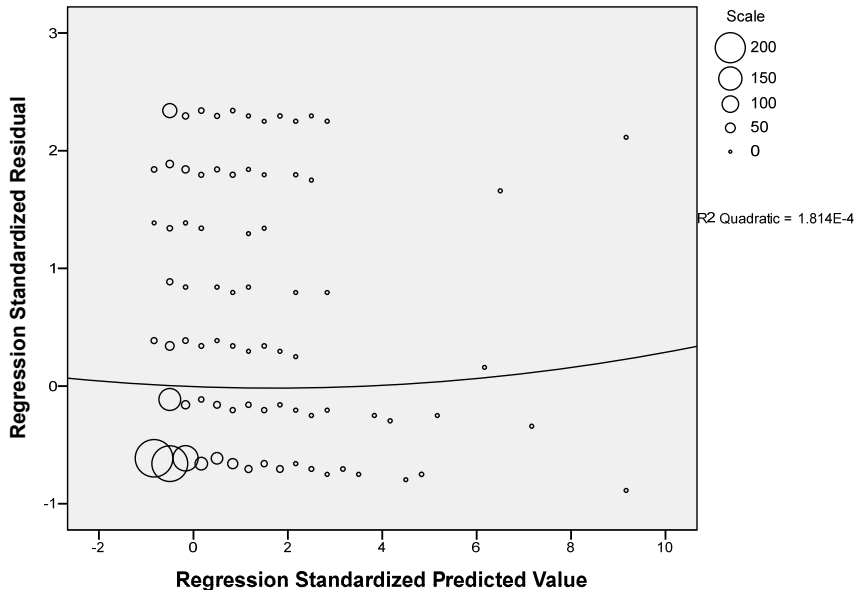
**Coefficients<sup>a</sup>**

Model		Unstandardized Coefficients		Standardized Coefficients		t	Sig.
		B	Std. Error	Beta	Std. Error		
1	(Constant)	2.245	.069			32.436	.000
	CWEIGHT	-.005	.015	-.011	.031	-.344	.731
	CWEIGHT2	.002	.002	.031	.031	.981	.327

a. Dependent Variable: CHECKUP Physical Check-up

**Scatterplot**

**Dependent Variable: Physical Check-up**



## R (some output omitted for brevity)

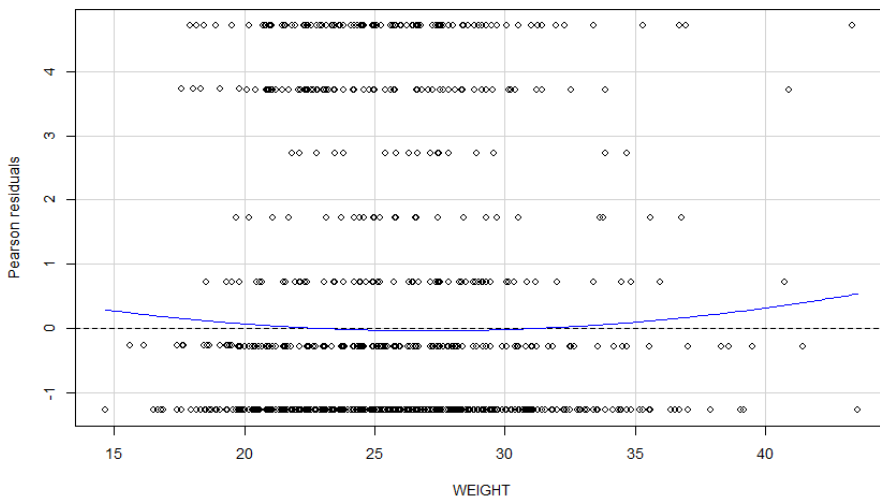
```
>#clear active frame from previous analyses
>rm(d)

>library(haven)
>d = read_sav("c:/jason/spsswin/da2/hbs_2.sav")
> #Random sample of approx 1200 older adults from the Canadian NPHS.

> #need to convert data types in order to compute a correlation in R-base R function
> d$CHECKUP = as.numeric(d$CHECKUP)

> library(car)
> #test simple regression first and examine residual plot
> residualPlots(lm(CHECKUP ~ WEIGHT, data = d), fitted=FALSE)
```

### Initial Plot of the Residuals from Linear Regression



```
> #listwise deletion to match n from regression when centering
> library(dplyr)
> d <- filter(d, WEIGHT != 'NA' & CHECKUP != 'NA')
> #describe(d)

> #mean center WEIGHT
> d$cweight <- scale(d$WEIGHT, center = TRUE, scale = FALSE)

>#check that mean of cweight is zero
>#library(psych)
>#describe(d)

> #compute quadratic effect variable
> d$cweight2=d$cweight^2

> #test linear with quadratic effect
> Regression(CHECKUP ~ cweight + cweight2)
```

Response Variable: CHECKUP  
 Predictor Variable 1: cweight  
 Predictor Variable 2: cweight2

Number of cases (rows) of data: 1191  
 Number of cases retained for analysis: 1191

#### BASIC ANALYSIS

-- Estimated Model for CHECKUP

	Estimate	Std Err	t-value	p-value	Lower 95%	Upper 95%
(Intercept)	2.245	0.069	32.436	0.000	2.109	2.380
cweight	-0.005	0.015	-0.344	0.731	-0.035	0.025
cweight2	0.002	0.002	0.981	0.327	-0.002	0.006

-- Model Fit

Standard deviation of CHECKUP: 2.027

Standard deviation of residuals: 2.028 for 1188 degrees of freedom  
 95% range of residual variation:  $7.958 = 2 * (1.962 * 2.028)$

R-squared: 0.001 Adjusted R-squared: -0.001 PRESS R-squared: -0.005

Null hypothesis of all 0 population slope coefficients:

F-statistic: 0.481 df: 2 and 1188 p-value: 0.618

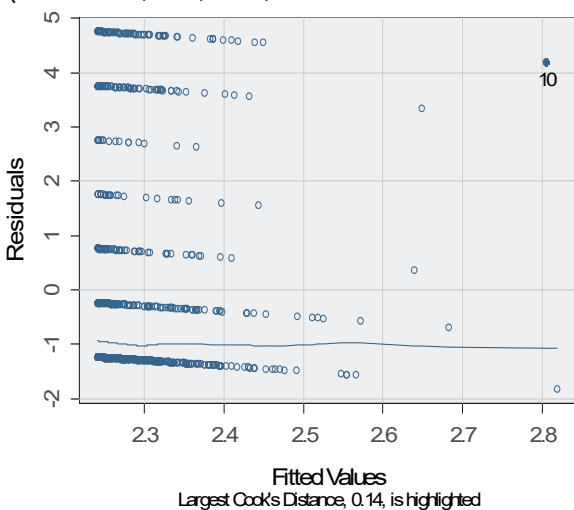
-- Analysis of variance

	df	Sum Sq	Mean Sq	F-value	p-value
cweight	1	0.000	0.000	0.000	0.991
cweight2	1	3.958	3.958	0.962	0.327
Model	2	3.959	1.979	0.481	0.618
Residuals	1188	4886.375	4.113		
CHECKUP	1190	4890.334	4.110		

## Residual Plot for Model with Quadratic Effect

From the `lessR` regression output. You could also use the `residualPlots` function above but with quadratic effect added to the model.

(flat fit line, but, ooh, I don't like those outliers much!)



```
> #get standardized solution (lm.beta package/function also works for this)
> #standardized coefficients--ignore significance tests
> d$zweight = scale(d$WEIGHT)
> d$zcheckup = scale(d$CHECKUP)
> d$zweight2 = d$zweight^2
>
> Regression(zcheckup ~ zweight + zweight2, brief=TRUE)
```

BASIC ANALYSIS

-- Estimated Model for zcheckup

	Estimate	Std Err	t-value	p-value	Lower 95%	Upper 95%
(Intercept)	-0.01768303	0.03413621	-0.518	0.605	-0.08465701	0.04929095
zweight	-0.01068976	0.03109388	-0.344	0.731	-0.07169480	0.05031527
zweight2	0.01769789	0.01804062	0.981	0.327	-0.01769715	0.05309292

## Example Write-up

A regression model was used to test whether BMI had a quadratic relationship to medical check-up frequency. The BMI variable was first centered before computing the quadratic term to reduce nonessential multicollinearity (Cohen et al., 2003), and both the linear and quadratic terms were included in the model together. Results indicated that neither the linear effect nor the quadratic effect were significant,  $B = -.01$ ,  $SE = .02$ ,  $p = .73$ ,  $95\%CI[-.04, .02]$  and  $B = .00$ ,  $SE = .00$ ,  $p = .33$ ,  $95\%CI[-.00, .01]$ , respectively. The total variance accounted for in check-up frequency was only approximately .1%,  $R^2 = .001$ , which was not significant,  $F(2, 1188) = .481$ ,  $p = .618$ .