

The Paradigm of Econometrics

Based on Greene's Note 1



Econometrics: Paradigm

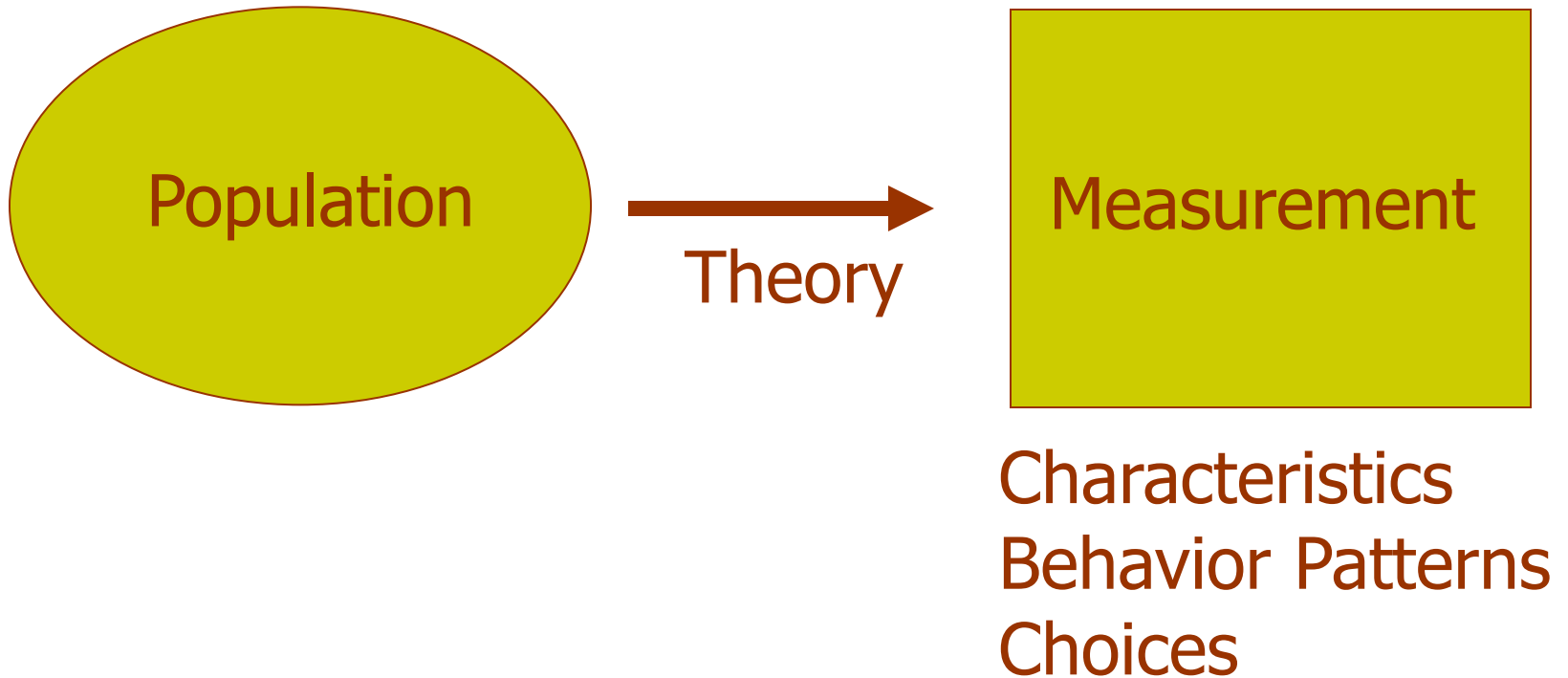
- Theoretical foundations
 - Microeconometrics and macroeconometrics
 - Behavioral modeling: Optimization, labor supply, demand equations, etc.
- Statistical foundations
- Mathematical Elements
- 'Model' building – the econometric model
 - Mathematical elements
 - The underlying truth – is there one?
 - What is 'bias' in model estimation?



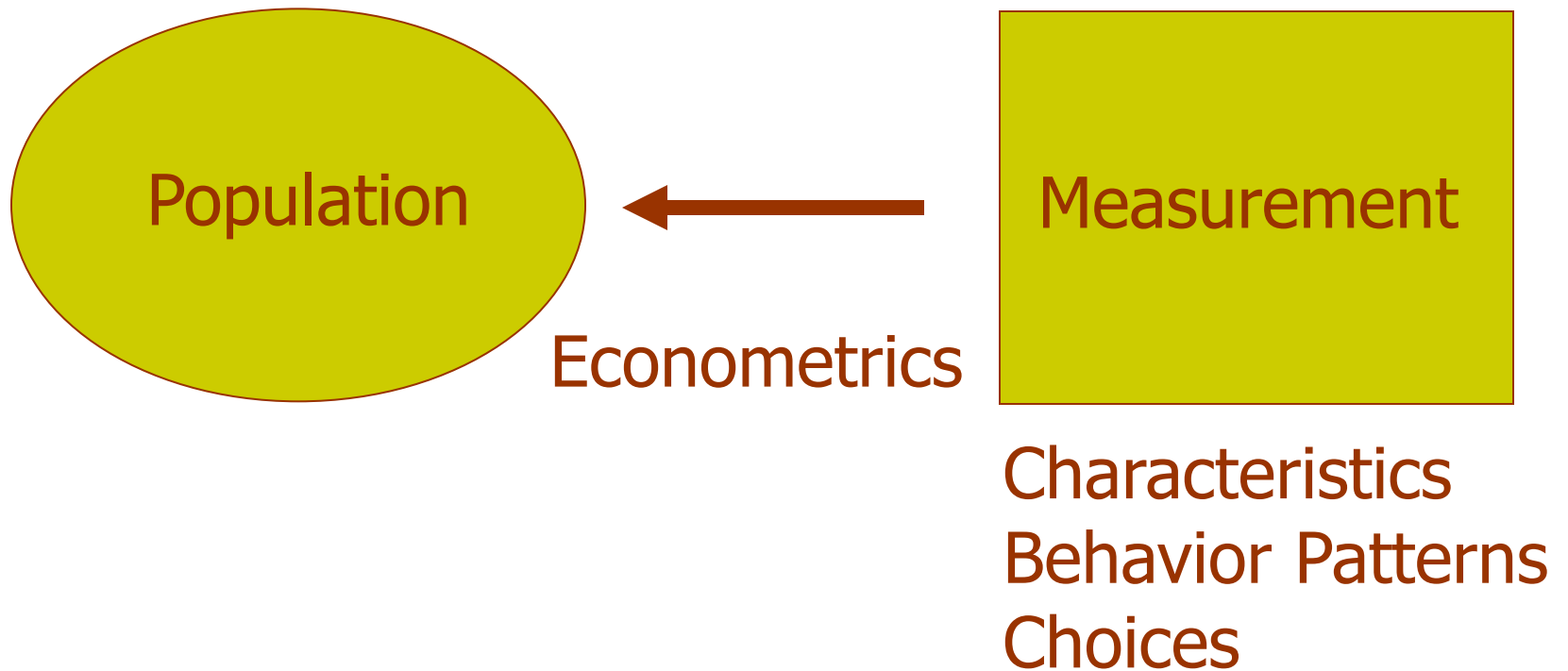
Why Use This Framework?

- Understanding covariation
- Understanding the relationship:
 - Estimation of quantities of interest such as elasticities
- Prediction of the outcome of interest
- Controlling future outcomes using knowledge of relationships

Measurement as Observation



Inference





Model Building in Econometrics

- Role of the assumptions
- Sharpness of inferences
- Parameterizing the model
 - Nonparametric analysis
 - Semiparametric analysis
 - Parametric analysis
- Application: Is there a relationship between investment and capital stock? (10 firms, 20 years)

Nonparametric Regression

Kernel Regression

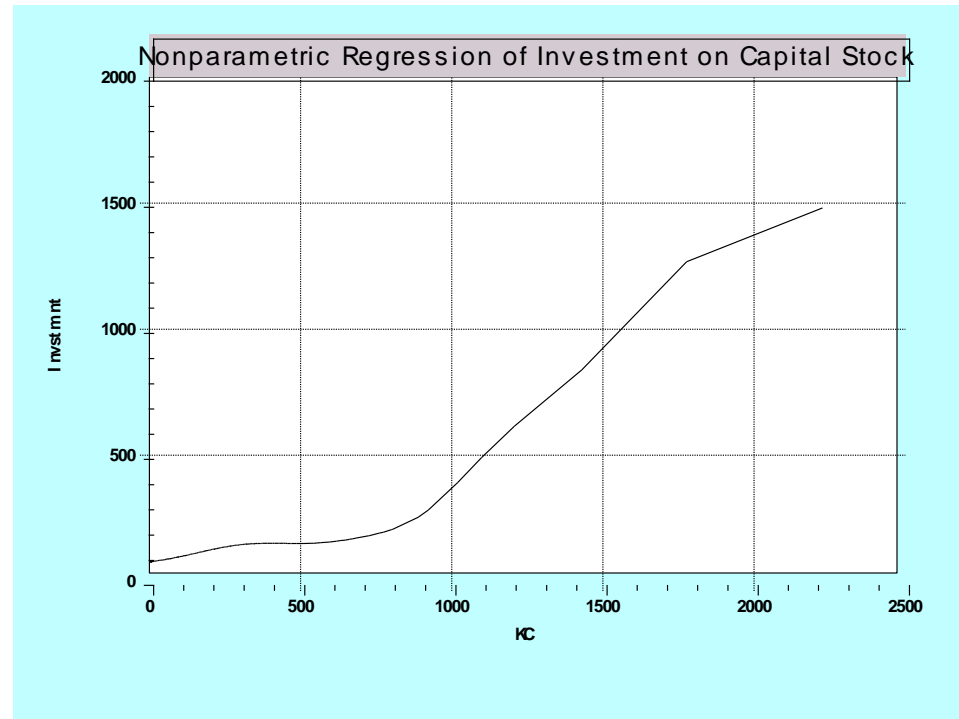
$$\hat{F}(z) = \frac{\sum_{i=1}^N w_i(z) y_i}{\sum_{i=1}^N w_i(z)}$$

$$w_i(z) = \frac{1}{\lambda} K \left[\frac{x_i - z}{\lambda} \right]$$

$$\lambda = .9s / N^{0.2}$$

$$K(t) = \Lambda(t)[1 - \Lambda(t)]$$

$$\Lambda(t) = \frac{\exp(t)}{1 + \exp(t)}$$



What are the assumptions?

What are the conclusions?

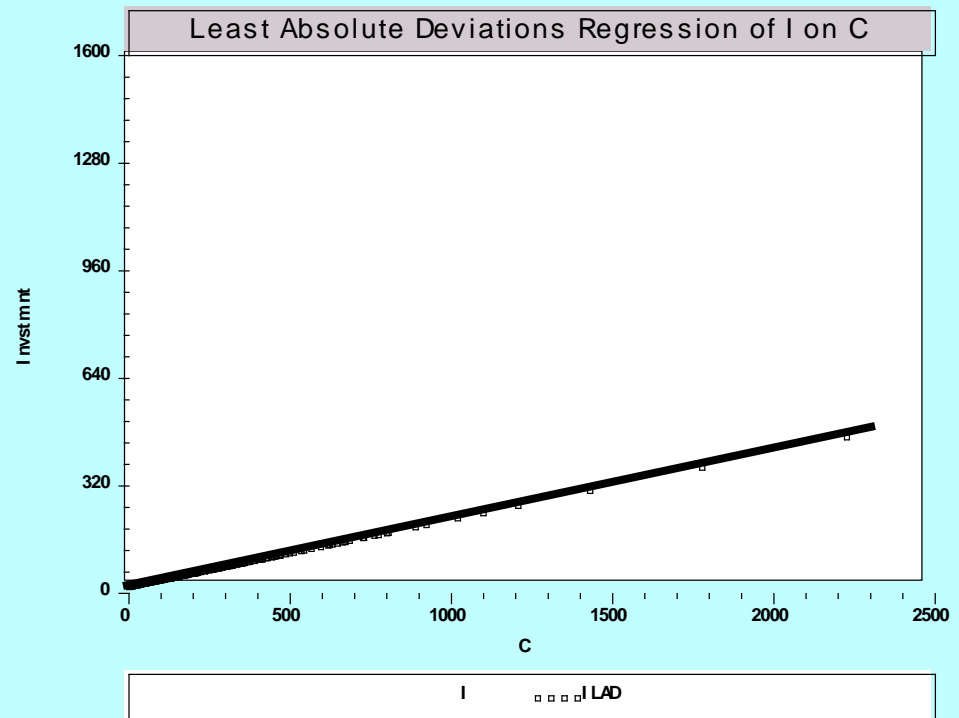
Semiparametric Regression

- Investment_{i,t} = a + b*Capital_{i,t} + u_{i,t}
- Median[u_{i,t} | Capital_{i,t}] = 0

Least Absolute Deviations

$$\hat{F}(x) = \hat{a} + \hat{b}x$$

$$\hat{a}, \hat{b} = \text{ArgMin}_{a,b} \sum_{i=1}^N |y_i - a - bx_i|$$



Parametric Regression

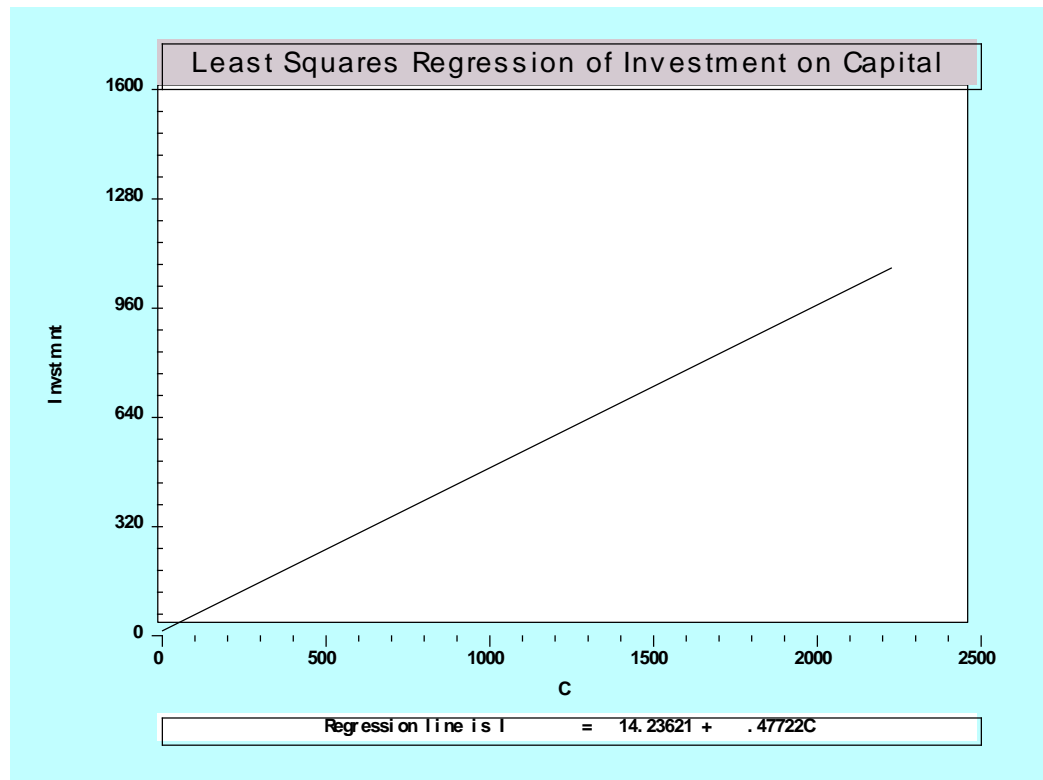
- Investment_{i,t} = a + b*Capital_{i,t} + u_{i,t}
- u_{i,t} | Capital_{j,s} ~ N[0,σ²] for all i,j,s,t

Least Squares Regression

$$\hat{F}(x) = \hat{a} + \hat{b}x$$

$$\hat{a}, \hat{b} = \text{ArgMin}_{a,b} \sum_{i=1}^N (y_i - a - bx_i)^2$$

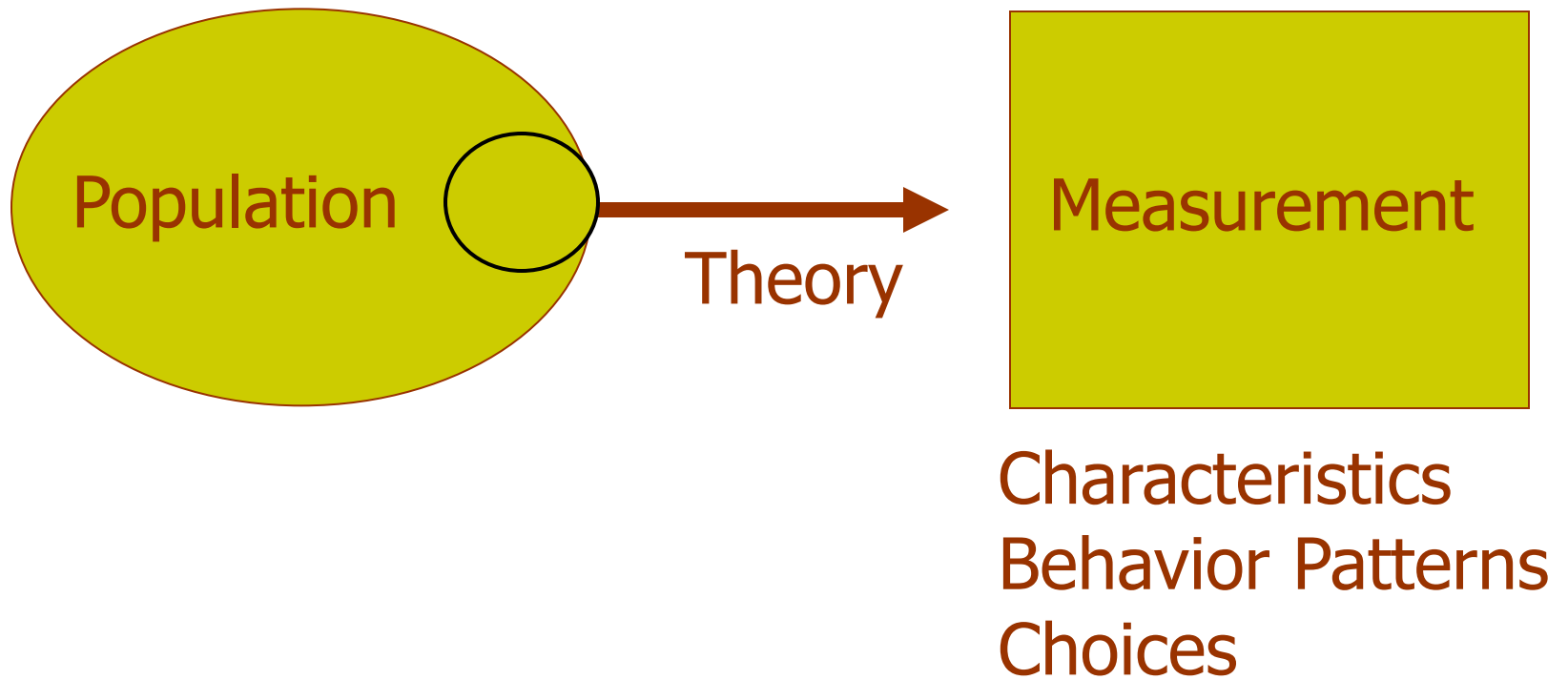
$$= \left[\sum_{i=1}^N \begin{pmatrix} 1 \\ x_i \end{pmatrix} \begin{pmatrix} 1 \\ x_i \end{pmatrix}' \right]^{-1} \left[\sum_{i=1}^N \begin{pmatrix} 1 \\ x_i \end{pmatrix} y_i \right]$$



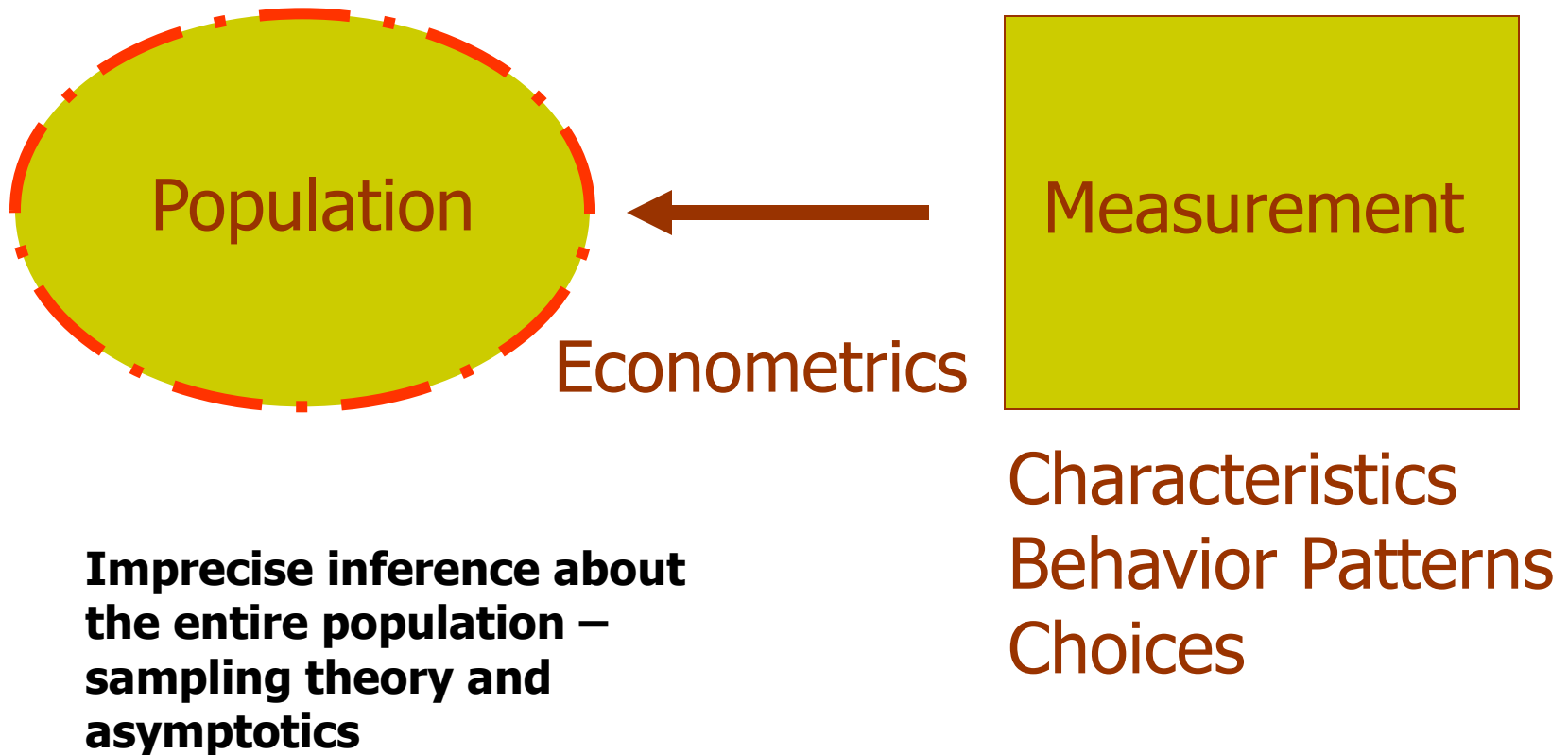
Estimation Platforms

- The “best use” of a body of data
- The accretion of knowledge
- Model based
 - Kernels and smoothing methods (nonparametric)
 - Moments and quantiles (semiparametric)
 - Likelihood and M- estimators (parametric)
- Methodology based (?)
 - Classical – parametric and semiparametric
 - Bayesian – strongly parametric

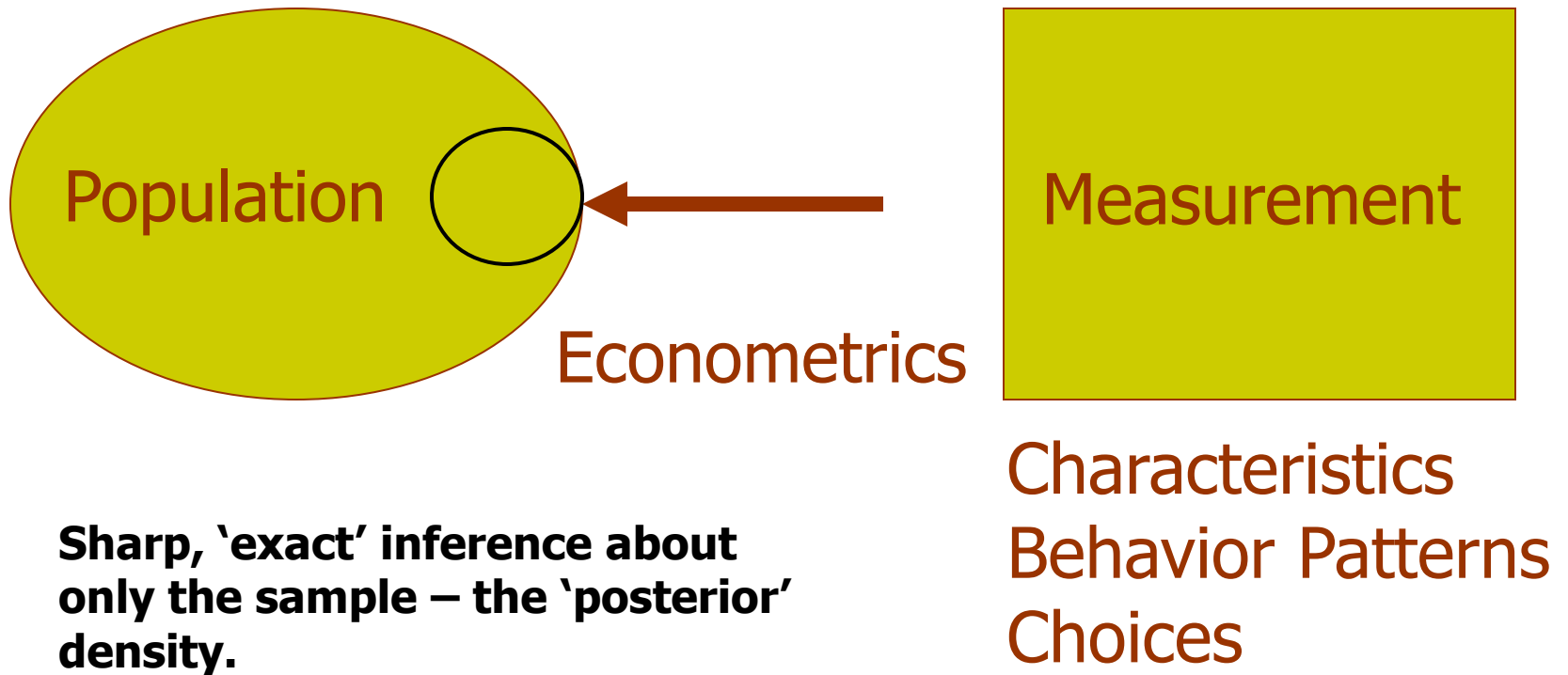
The Sample and Measurement



Classical Inference



Bayesian Inference



Classical vs. Bayesian Inference

- Both posit a “relationship” among variables
- They differ on the nature of “parameters” (What is a parameter?)
- Classical can be nonparametric and robust; Bayesian is strongly parametric, and fragile
- Bayesian **can** accumulate knowledge (do they?); every classical application is the first.



Empirical Research

- Iterative search for information about the structure
- Specification searches
 - Stepwise modeling, data mining, etc.
 - Leamer on specification searching and significance levels
 - Judge, et al. on sequential inference and pretesting
 - Hendry on the encompassing principle – “general to specific”
- Classical estimation and inference



Data Structures

- Observation mechanisms
 - Passive, nonexperimental
 - Active, experimental
 - The 'natural experiment'
- Data types
 - Cross section
 - Pure time series
 - Panel – longitudinal data
 - Financial data



Econometric Models

- Linear; static and dynamic
- Discrete choice
- Censoring and truncation
- Structural models and demand systems



Estimation Methods and Applications

- Least squares etc. – OLS, GLS, LAD, quantile
- Maximum likelihood
 - Formal ML
 - Maximum simulated likelihood
 - Robust and M- estimation
- Instrumental variables and GMM
- Bayesian estimation – Markov Chain Monte Carlo methods

Estimation and Inference

- Estimators: Models and estimators
 - Properties of Estimators
-

	Classical	Bayesian
Finite Sample	Almost none	Almost all
Asymptotic	Most	Also almost all?

- Hypothesis tests
- Analysis of empirical results



Trends in Econometrics

- Small structural models vs. large scale multiple equation models
- Parametric vs. non- and semiparametric methods
- Robust methods – GMM (paradigm shift?)
- Unit roots, cointegration and macroeconometrics
- Nonlinear modeling and the role of software
- Behavioral and structural modeling vs. “covariance analysis” – pervasiveness of the econometrics paradigm



4 Golden Rules of Econometrics

- Think brilliantly
- Be infinitely creative
- Be outstandingly lucky
- Otherwise, stick to being a theorist

-David Hendry